

# High-Quality Laser Processing of CFRP

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**Rudolf Weber**

Christian Freitag, Margit Wiedenmann, Thomas Graf

15.6.2016



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LEADER DE LA HAUTE PRECISION  
HORLOGERIE-JOAILLERIE • MICROTECHNOLOGIES • MEDTECH

**SWISS PHOTONICS**



**UNIVERSITÄT STUTTGART**  
INSTITUT FÜR STRAHLWERKZEUGE  
STUTTGART LASER TECHNOLOGIES



- ◆ Founded 1986
- ◆ Turnover ~4,2 M€
- ◆ 42 Employees (+ ~45 Students)
- ◆ 80% Third party financing

**Director:** Prof. Dr. Thomas Graf  
**Deputy:** Akad. Oberrat Peter Berger

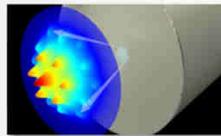
## Laser und Laser Optics

Marwan Abdou Ahmed



**Disk Lasers  
and Laser Optics**

S. Piehler



**Fibre Optics  
und Fibre Lasers**

M. Abdou Ahmed



**Semiconductor  
Disk Lasers**

Dr. U. Brauch

14 Scientists

## Systemtechnik

Volkher Onuseit



**Hochdynamische  
Strahlführung**

V. Onuseit

**Anlagen  
Integration**

S. Boley

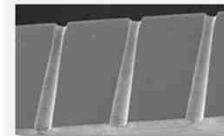
**Mess- und  
Regelungstechnik**

A. Peter

3 Scientistis

## Laser Materials Processing

Rudolf Weber



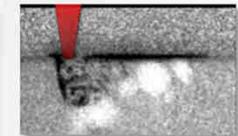
**Precision  
Processing**

C. Freitag



**Application  
Development**

D. Weller



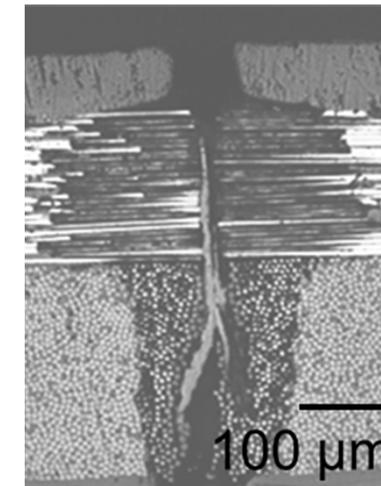
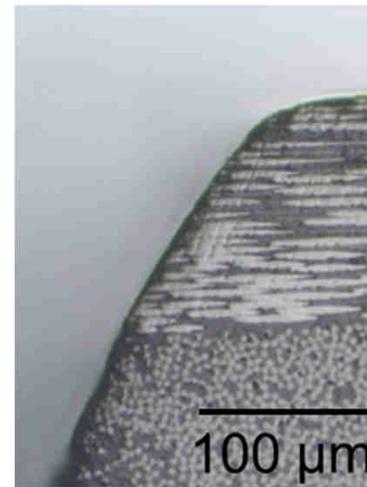
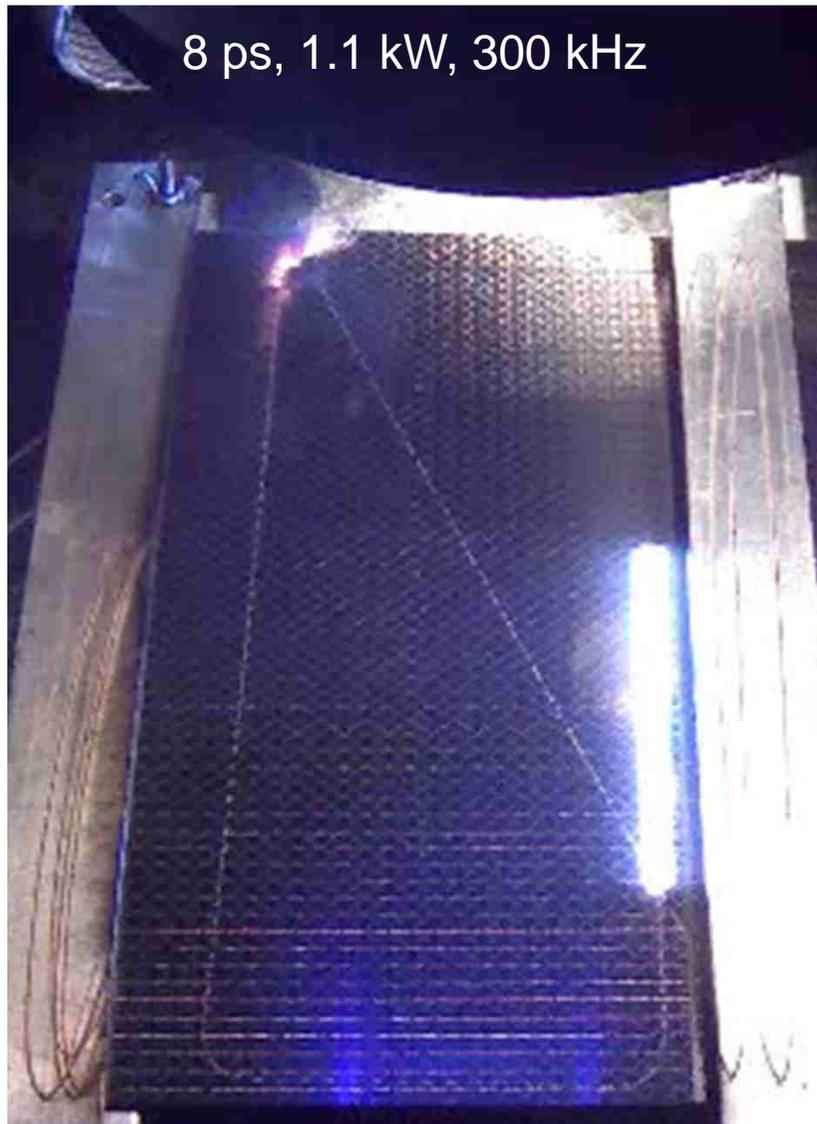
**Macro  
Processing**

A. Heider

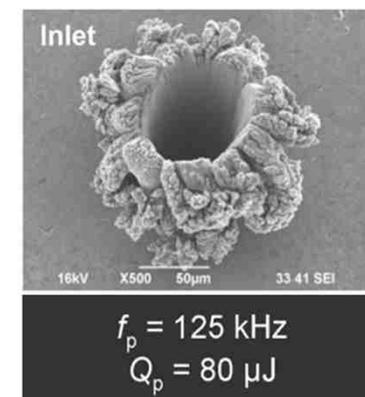
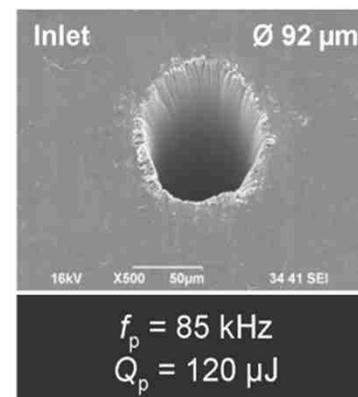
15 Scientists

## Technics und Safety, Metallografy, Administration, PR

A. Esser, Ch. Zeitvogel, R. Fischer, H. Götz

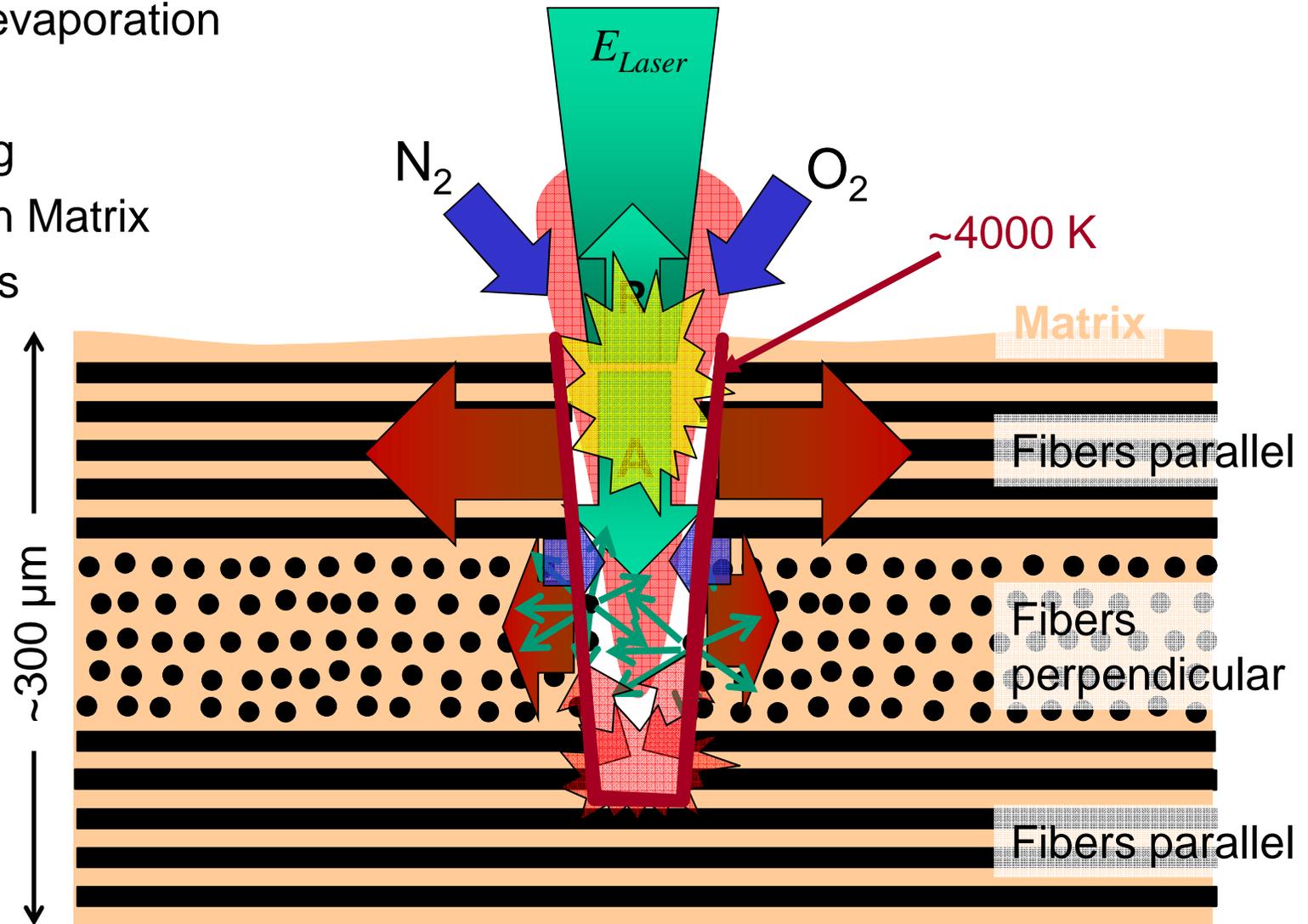


- ◆ Correct process strategies are the key
- ◆ Applies also to processing of metals



# Energy Transfer Mechanisms During Ablation

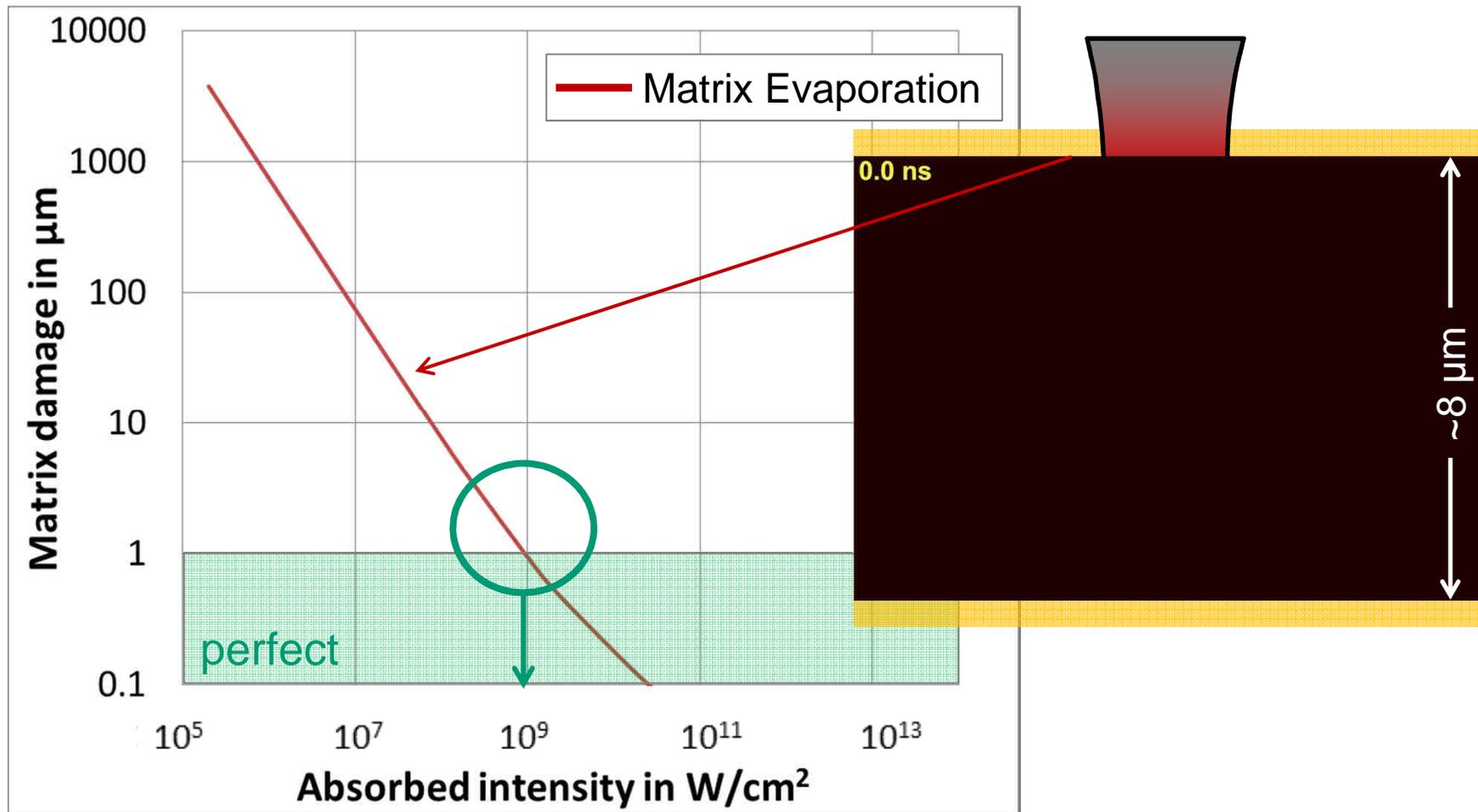
- ◆ Material evaporation
- ◆ Plasma
- ◆ Scattering
- ◆ Oxygen in Matrix
- ◆ Active gas



- Fraction  $\eta_{Heat}$  of absorbed energy is converted to heat
- Heat flow into the material source for matrix damage

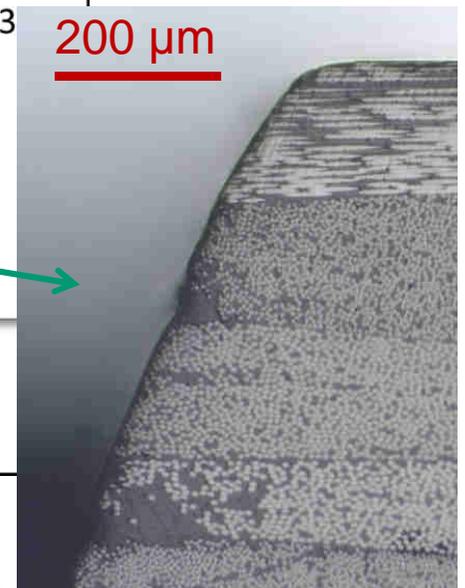
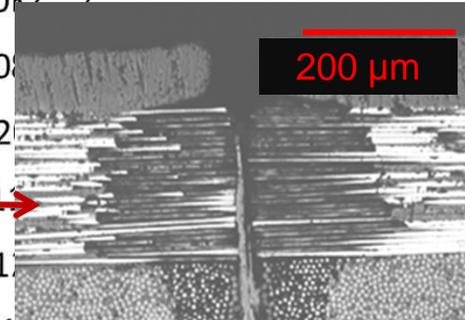
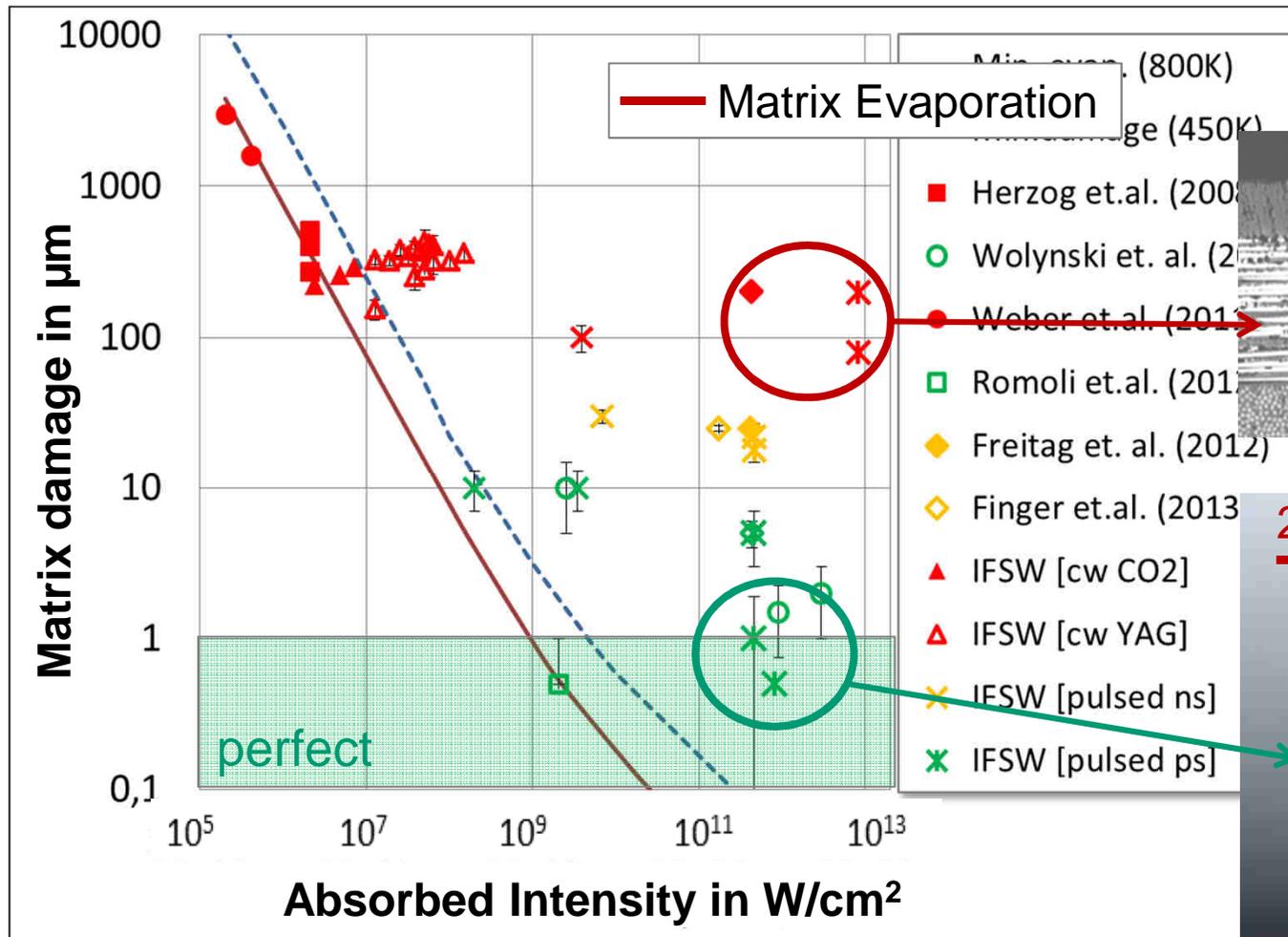
# Minimum Possible Damage Due to Basic Heat Flow

- ◆ Calculated maximum extension of 500 K isotherm on the fibre surface



➤ Perfect quality possible for intensity  $>10^9 \text{ W}/\text{cm}^2$

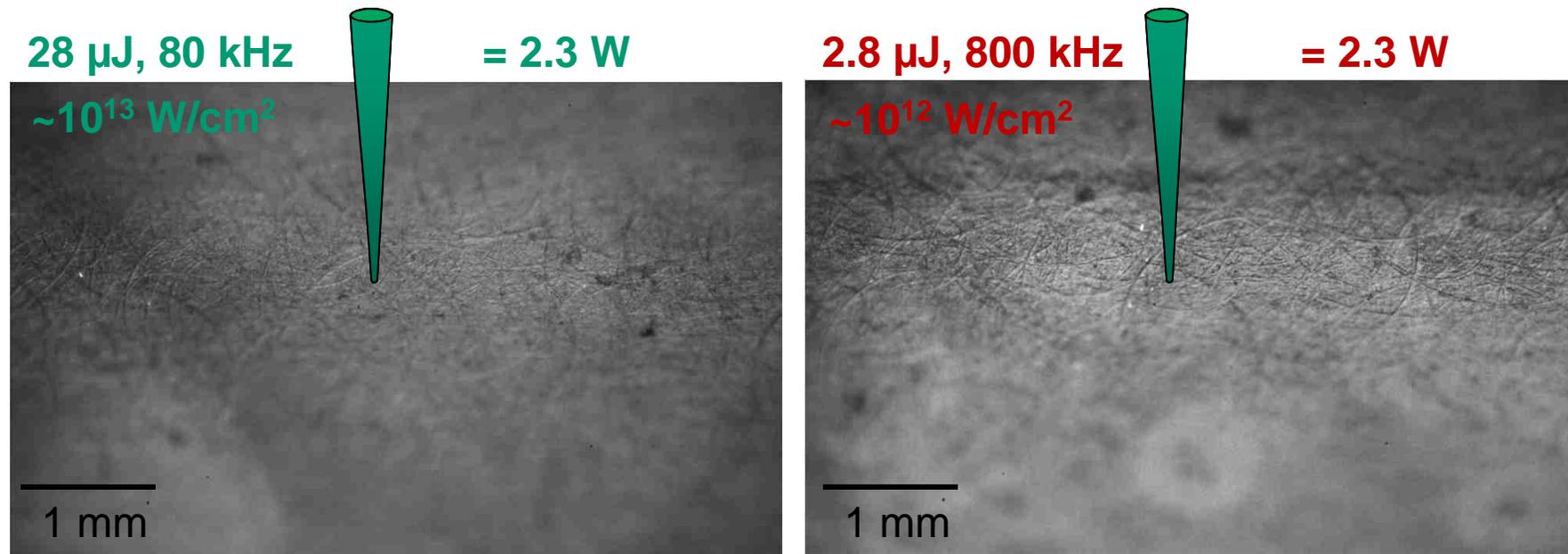
# Minimum Possible Damage Due to Heat Conduction



◆ Experimental data confirm model

➤ Perfect quality possible for intensity  $>10^9 \text{ W}/\text{cm}^2$

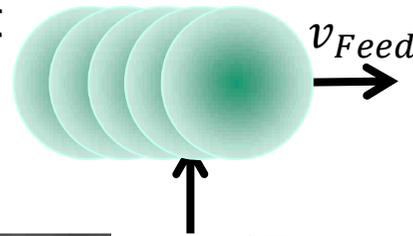
- ◆ Percussion drilling, 10 ps, 515 nm
- ◆ **Identical average power of 2.3 W**



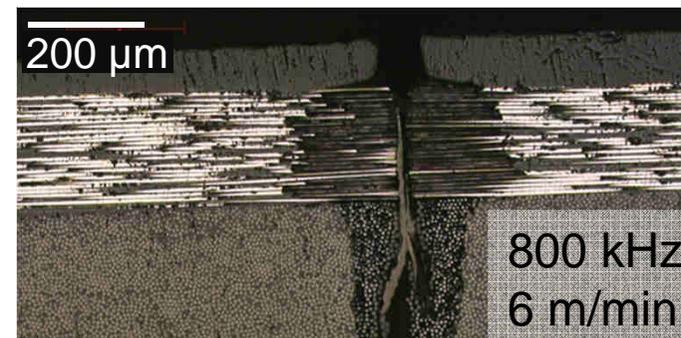
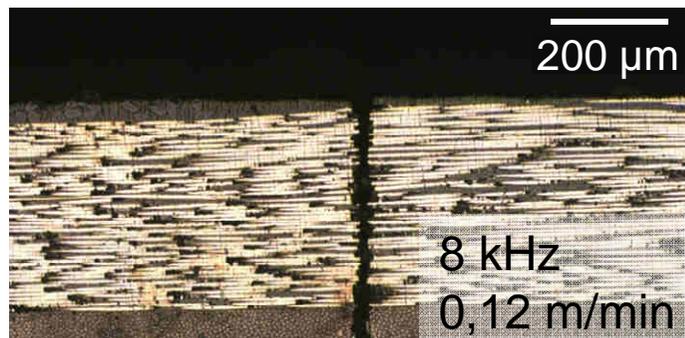
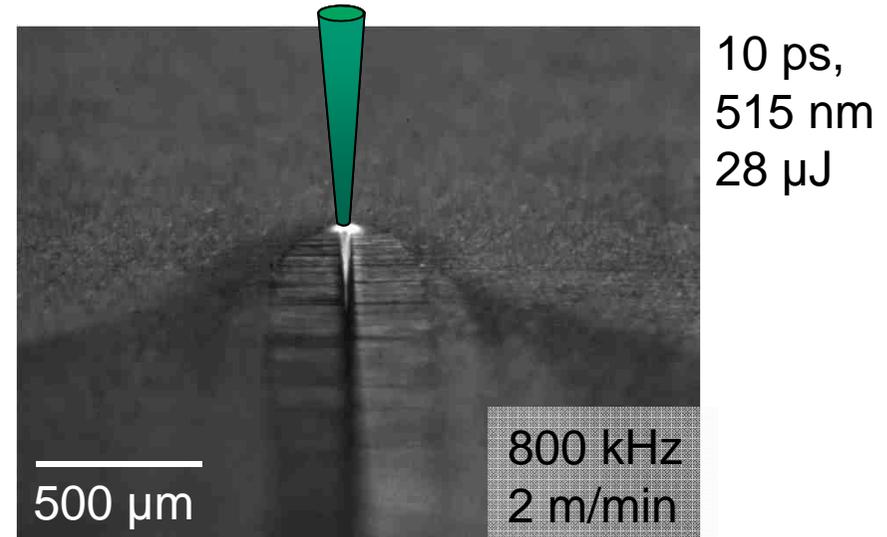
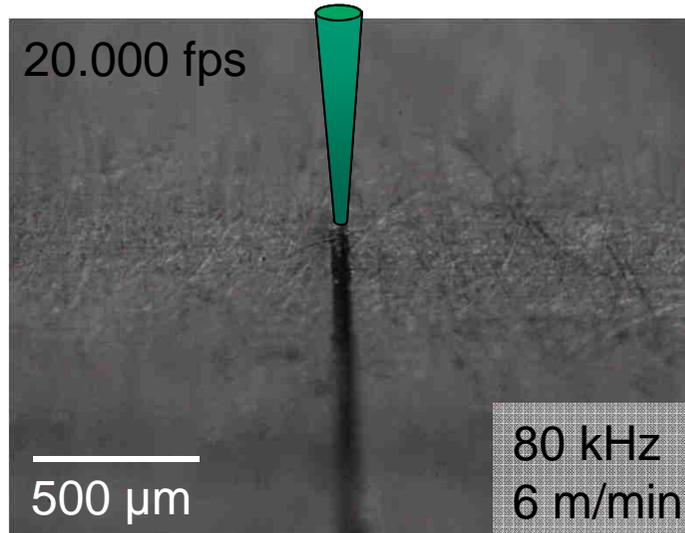
➤ **Strong pulse-to-pulse "heat accumulation" at higher frequency**

# Moving Beams

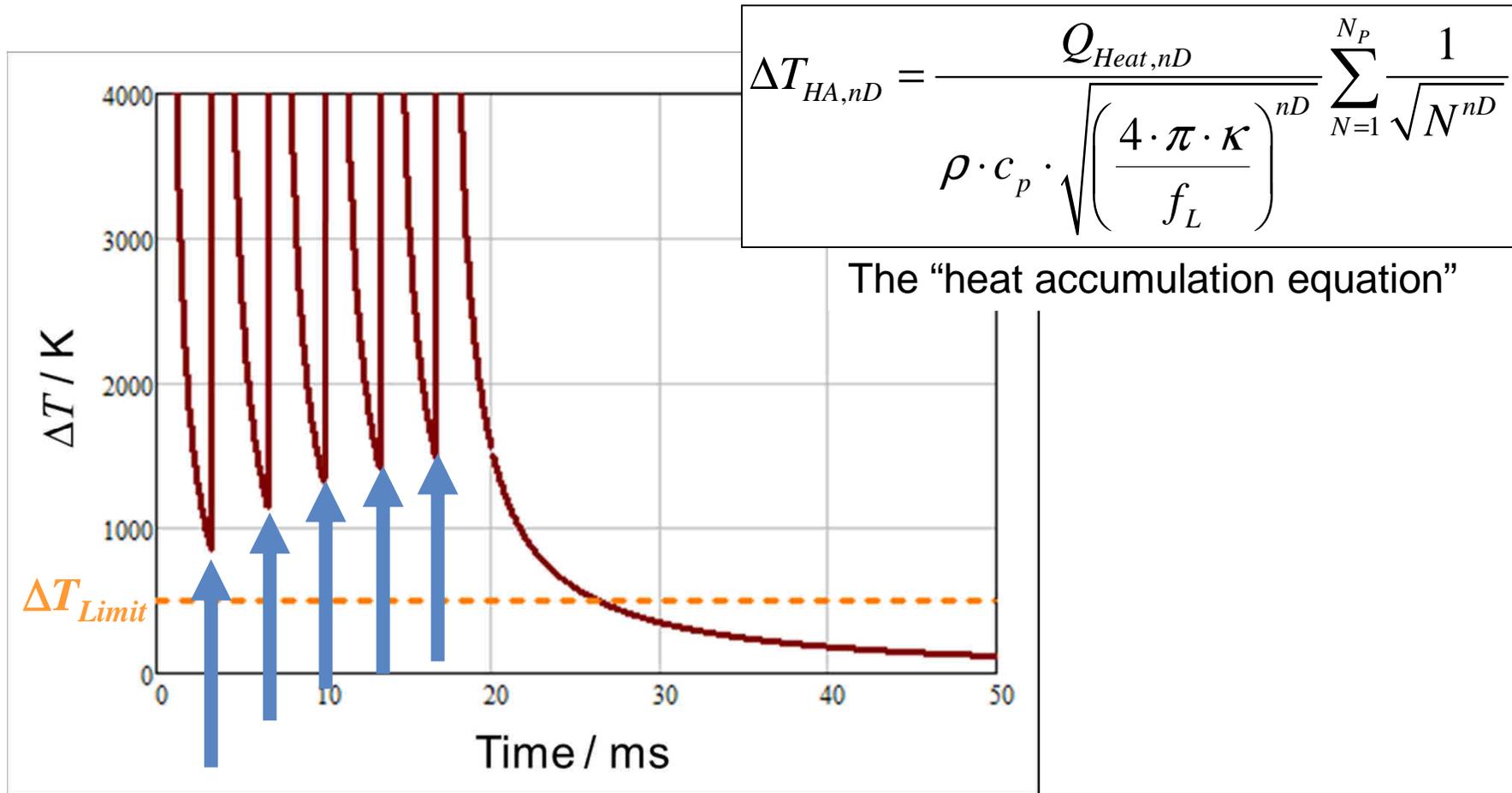
- ◆ Number of pulses per spot proportional to frequency, spot size and feed



$$N_{Pulses} = \frac{d_{Focus} \cdot f_{Laser}}{v_{Feed}}$$



➤ **Strong pulse-to-pulse "heat accumulation" at large  $N_{pulses}$  and high frequencies**



Solution to avoid HAP for moving beams:

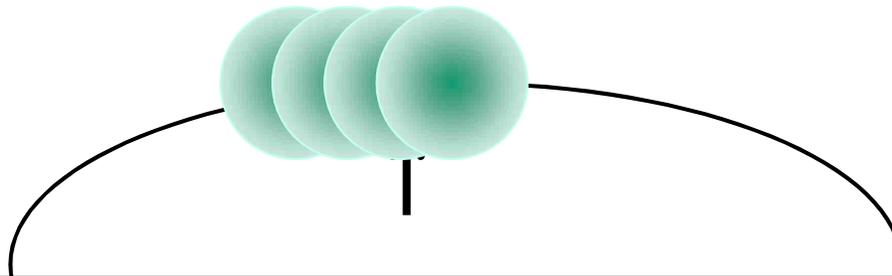
➤ **Fast beam movement, i.e.**  $v_{Feed} \cong d_{Focus} \cdot f_{Laser}$

100 μm, 300 kHz

⇒ **30 m/s**

25 μm, 20 MHz

⇒ **500 m/s(!)**

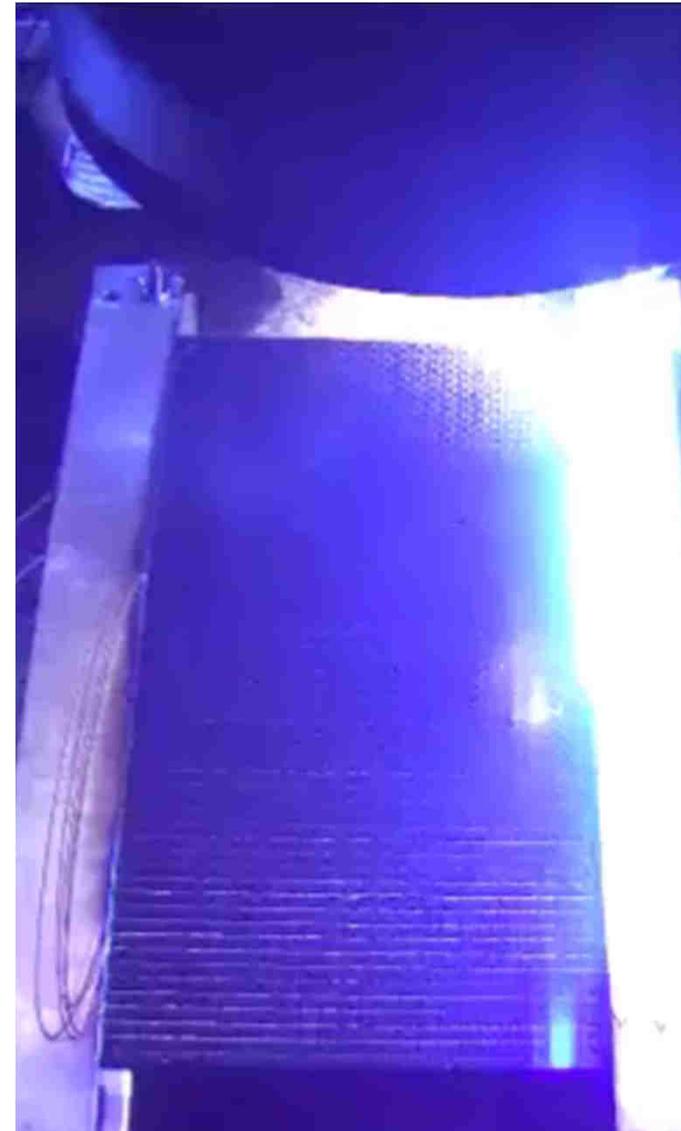


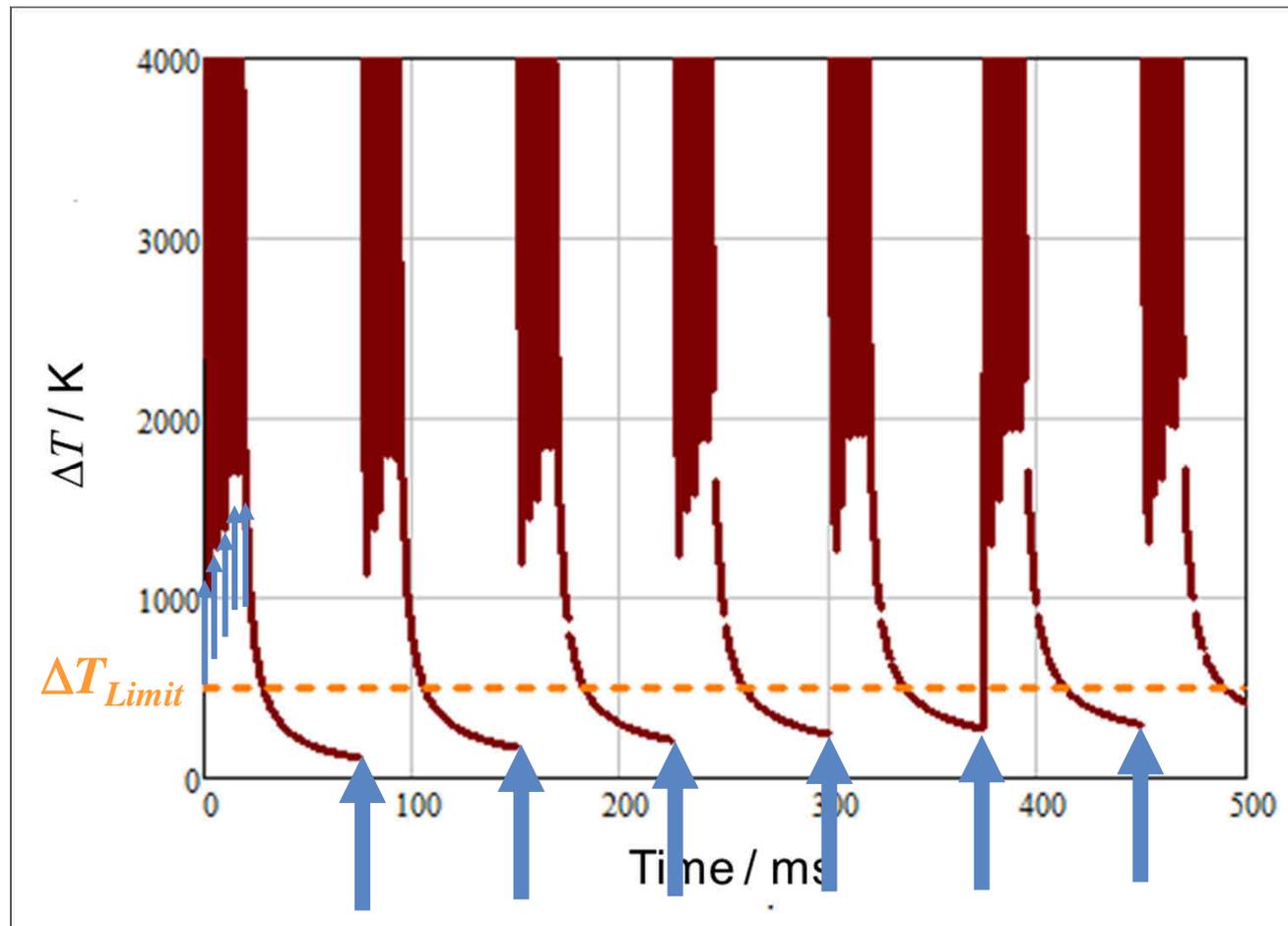
➤ **Required total number of scans given by material thickness!**

- ◆ Bi-axial CFRP, 2 mm
- ◆ 6 cm diameter circles  
**Contour length ~180 mm**
- 0.4 kW, 300 kHz, 1.3 mJ
- $1 \cdot 10^{12} \text{ W/cm}^2$
- $30 \text{ m/s} \Rightarrow N_{Pulses} \approx 1$

➤ **Strong heat accumulation for increasing number of scans**

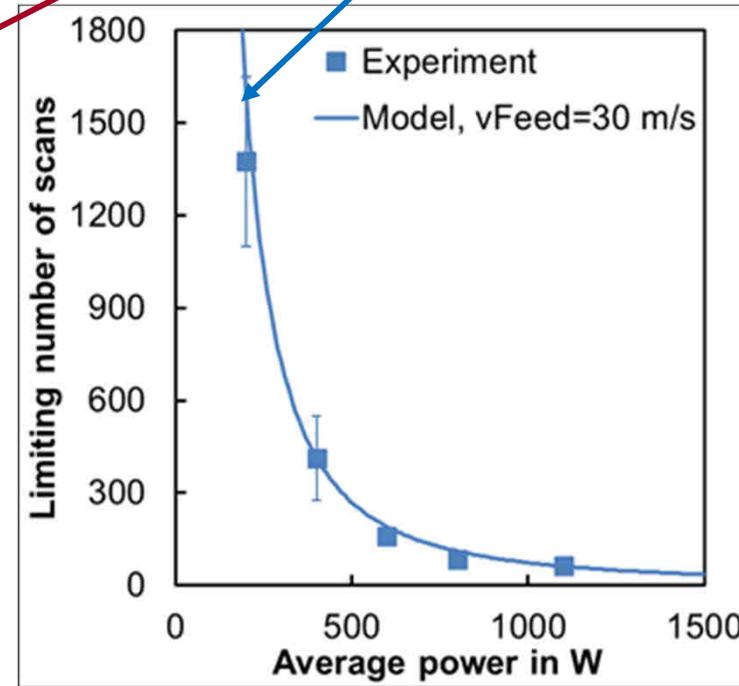
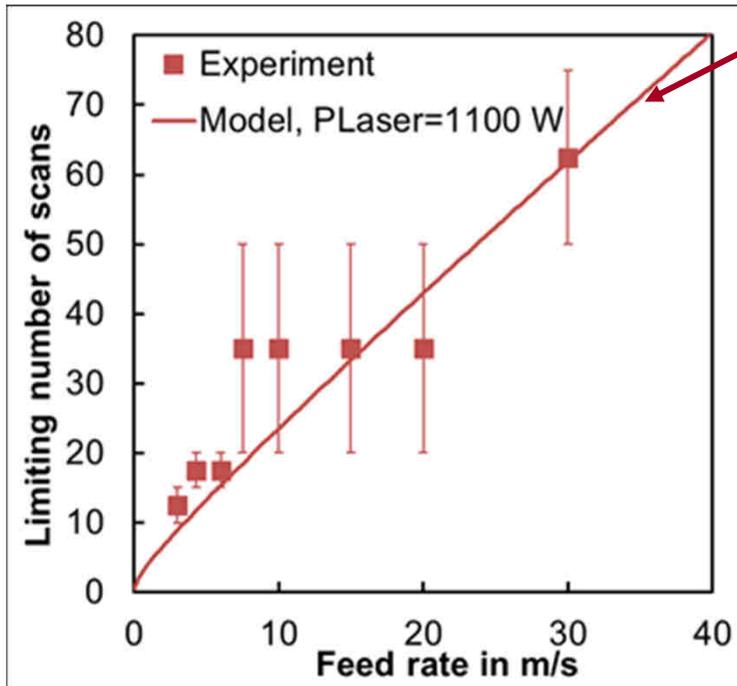
➤ **Burning if > 200 scans**





- ◆  $N_{Scans} > 2000$  for 2 mm thick CFRP
- **Process limits due to heat accumulation?**

$$N_{Limit,approx} \cong \frac{C_{Mat,1D}^2 \cdot \Delta T_{Limit}}{4} \cdot d_{Mat}^2 \cdot \ell_{Contour} \cdot \frac{v_{Feed}}{P_{Laser,av}^2} \quad (C_{Mat,1D} \cong 9000 \text{ J/s}^{0.5}/\text{m}^2)$$



Solution to avoid HAS for moving beams:

- Increase feed, **reduce power per contour, make breaks**

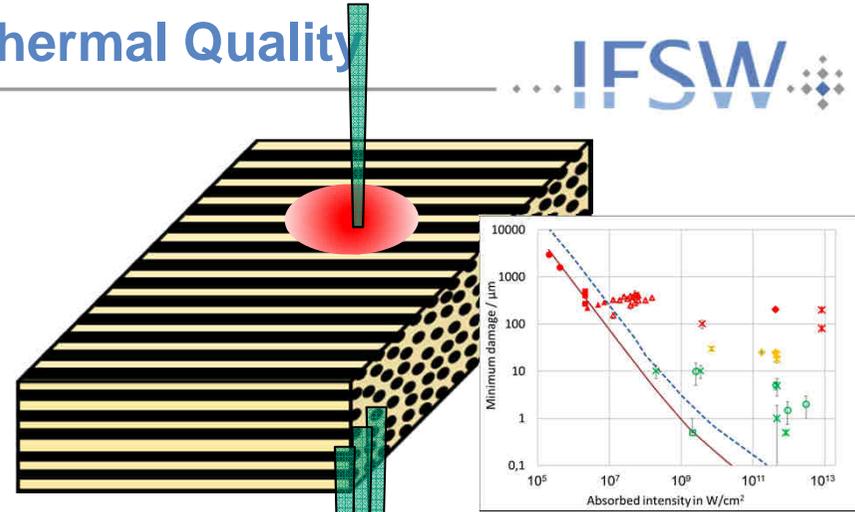
Model: R. Weber, C. Freitag, T. Graf, Submitted to Optics Express 6/2016

Experimental data: C. Freitag, T. Kononenko et al, Applied Physics A, 119(4), (2015)

# Mandatory Rules to Achieve Perfect Thermal Quality

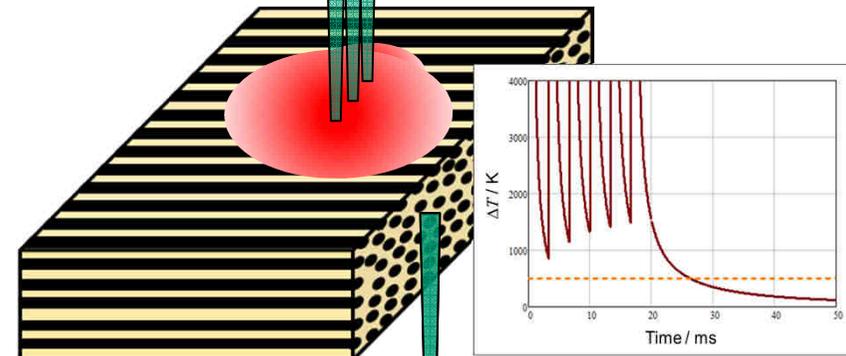
1. Enough intensity (no SPD)

$$> 10^9 \text{ W / cm}^2$$



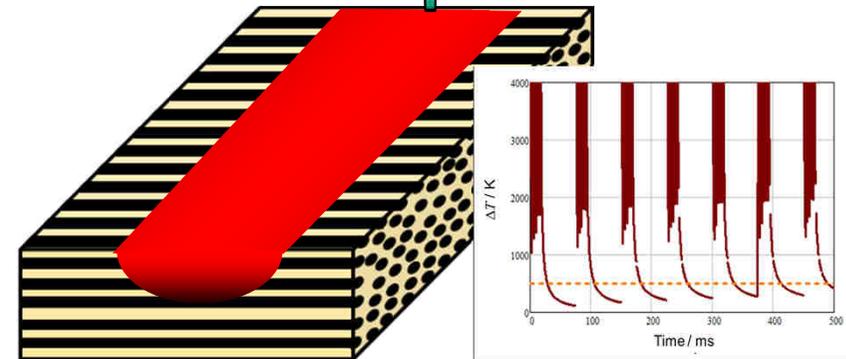
2. Fast beam movement (no HAP)

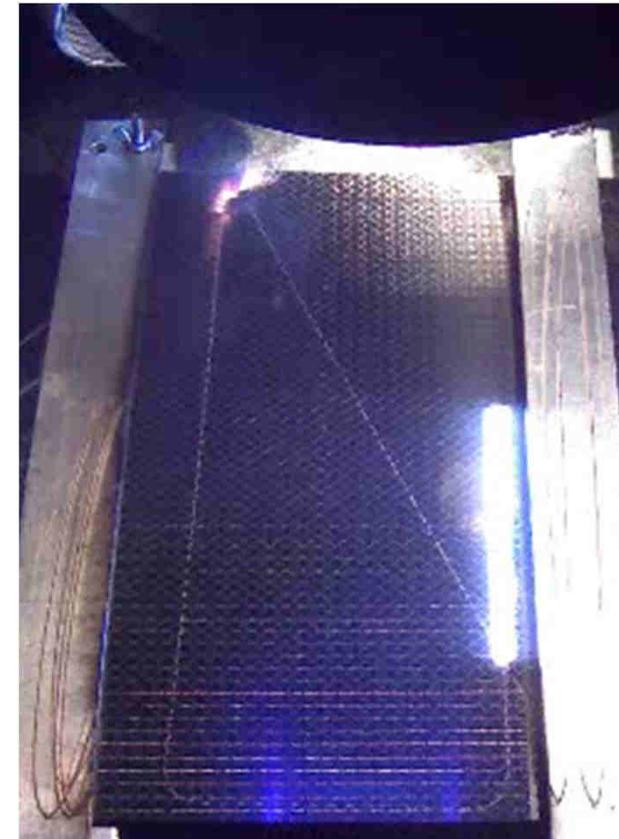
$$v_{Feed} \cong d_{Focus} \cdot f_{Laser}$$



3. Reduced power per contour and enough breaks (no HAS)

$$N_{Limit} \cong \frac{C_{Mat1D}^2 \cdot \Delta T_{Limit}}{4} \cdot d_{Mat}^2 \cdot \ell_{Cont} \cdot \frac{v_{Feed}}{P_{Laser}^2}$$





## Laser 1.1 kW

1.03  $\mu\text{m}$ , 8 ps

300 kHz, 3 mJ

## Scanner

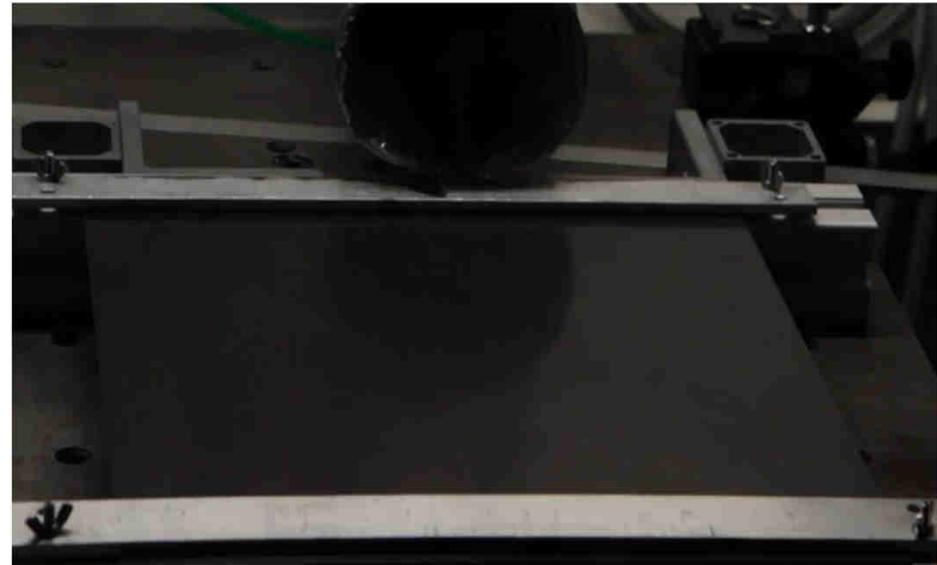
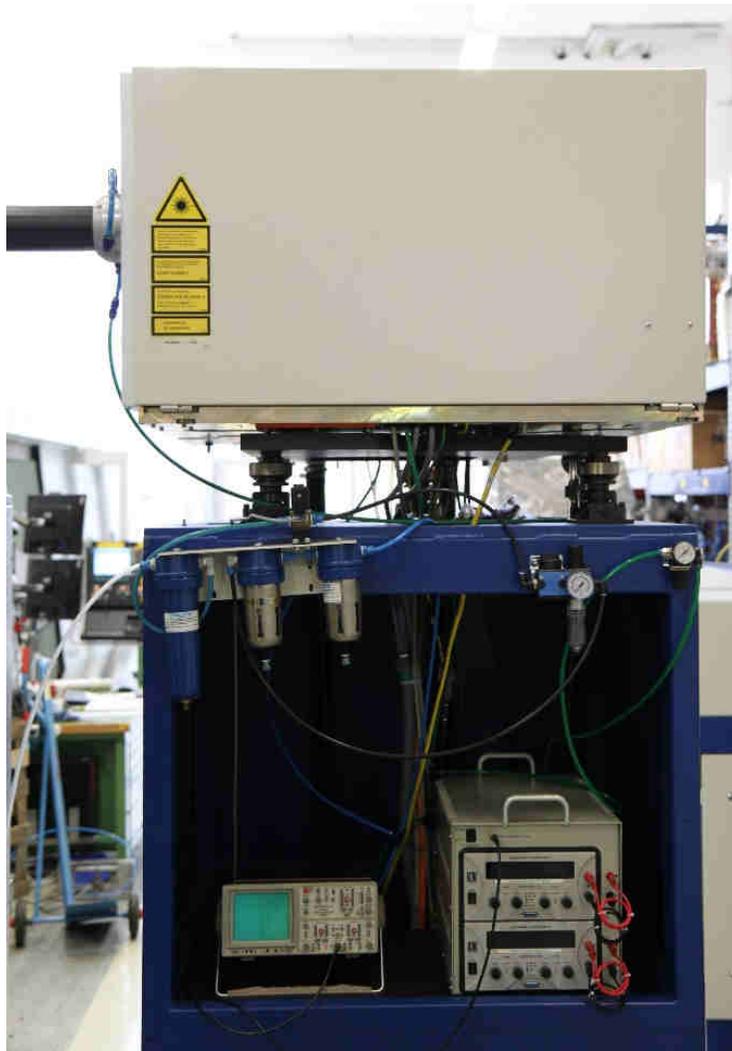
$f = 340 \text{ mm}$

$d_f = 120 \mu\text{m}$

## Process

~0% absorptance in the matrix

~80% absorptance in CFRP



## Laser 1.1 kW

10.6  $\mu\text{m}$ , 170 ns  
20 kHz, 60 mJ

## Scanner

$f = 450 \text{ mm}$   
 $d_f = 360 \mu\text{m}$

## Process

~100% in the matrix

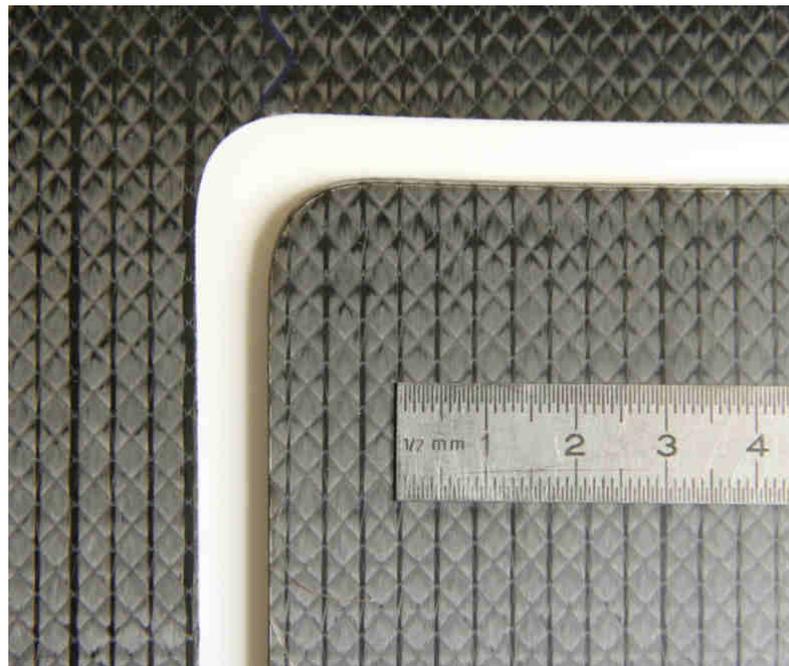
~40% absorptance in carbon fibers

# Large-Contour Cuts of 2 mm Bi-Axial CFRP

## 1 $\mu\text{m}$ Disk-kW-ps Laser

Contour size 20 x 10 cm<sup>2</sup>  
Intensity  $7 \cdot 10^{12}$  W/cm<sup>2</sup>  
Feed rate 30 m/s  
 $N_{Pulses}$  / spot 1.25  
Total Scans 2100

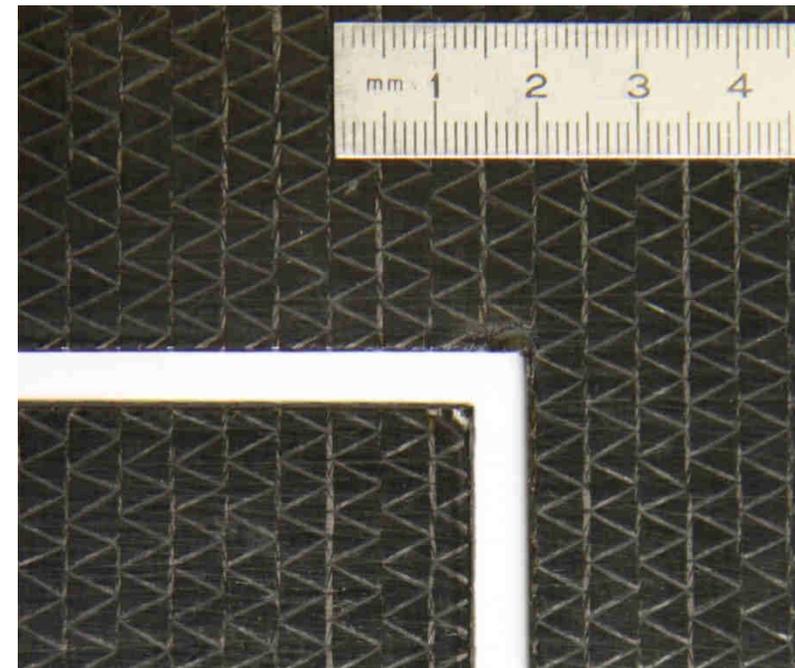
Break after 200 consecutive scans



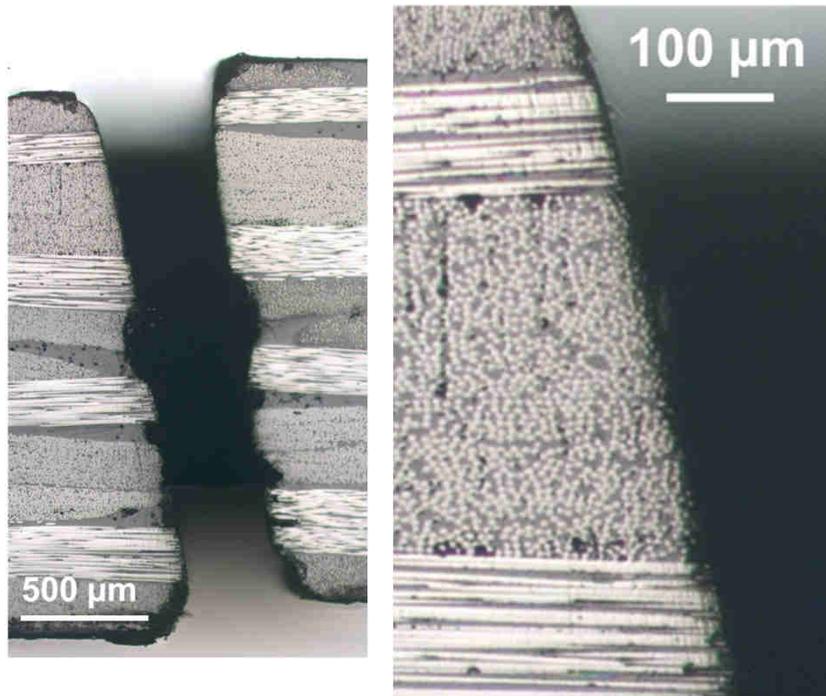
## 10 $\mu\text{m}$ CO<sub>2</sub>-kW-ns Laser

Contour size 18 x 18 cm<sup>2</sup>  
Intensity  $6 \cdot 10^8$  W/cm<sup>2</sup>  
Feed rate 15 m/s  
 $N_{Pulses}$  / spot 7.5  
Total Scans 2300

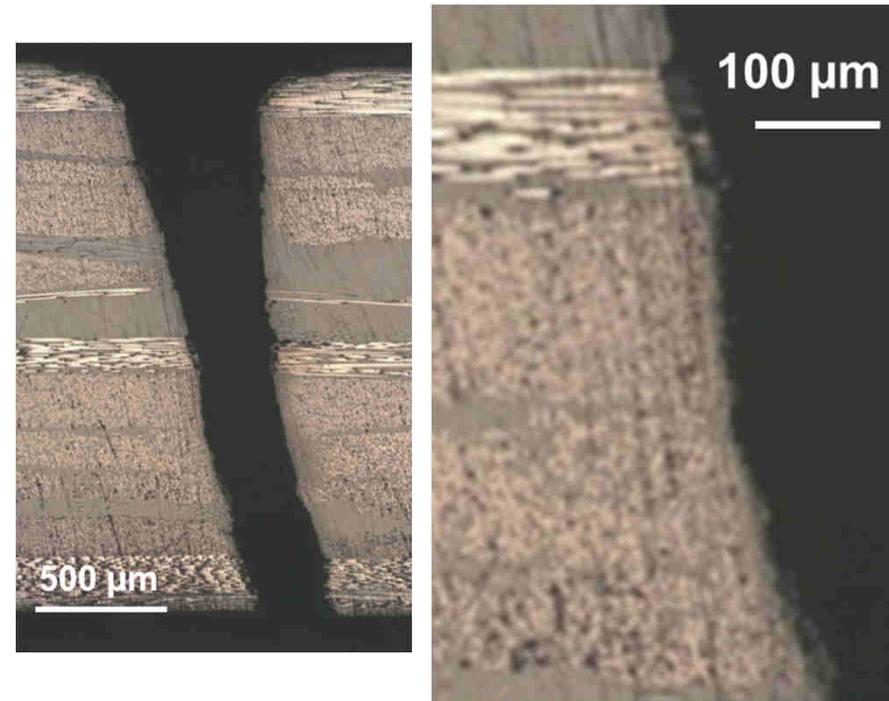
Break after 50 consecutive scans



Disk-kW-ps Laser:

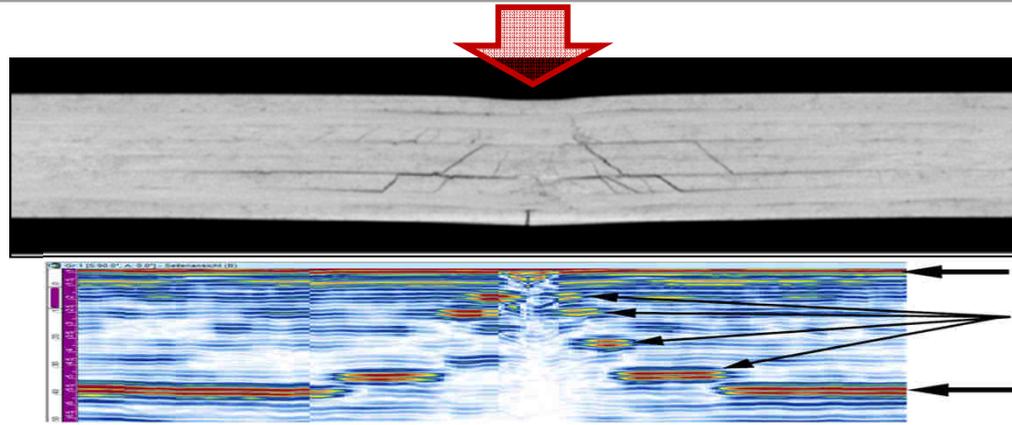


CO<sub>2</sub>-kW-ns Laser:

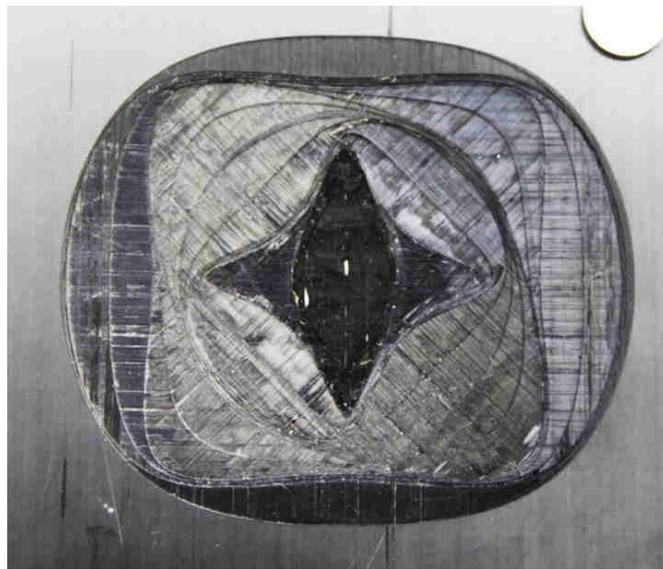


- ◆ **Magnification shows "perfect" thermal quality**
- ◆ Largest measured extent of the thermal damage was < 20 μm (Disk) and < 30 μm (CO<sub>2</sub>)
- Relative position of the two halves and the kerf width is arbitrary
- Additional effects slightly reduce quality to about < ±50 μm
- **System design challenges**

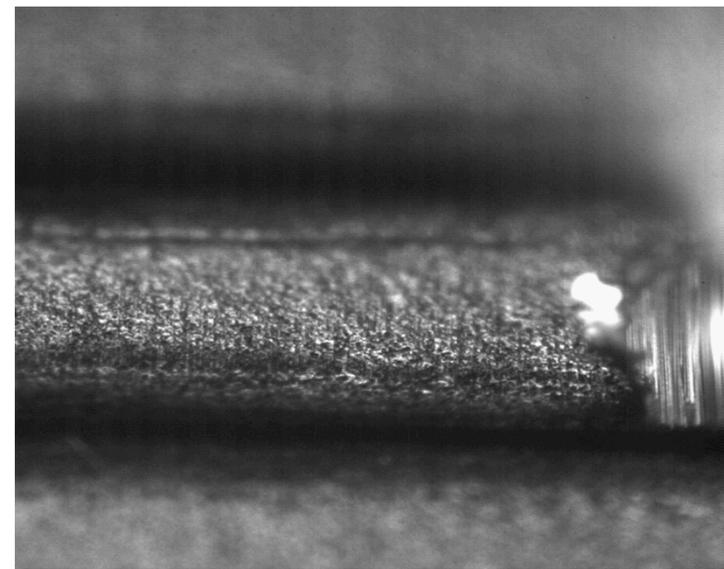
# "Clever" Surface Ablation of CFRP for Repair Preparation



20 J impact ↓ creates large delaminated areas

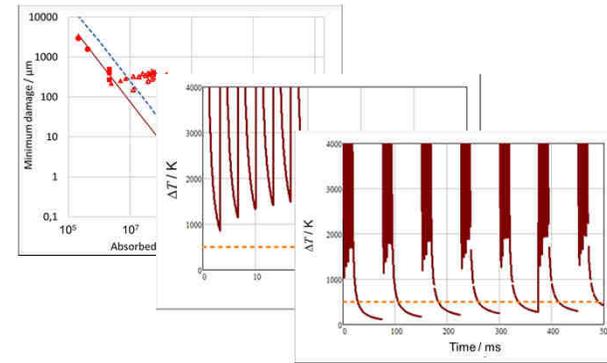


- ◆ Damage-repair pattern yields for 95% strength
- ◆ **Large volume to remove**

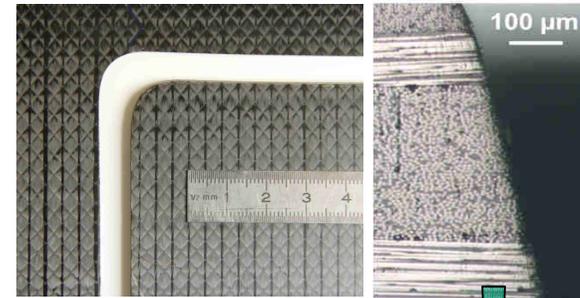


- ◆ **Take benefit of heat accumulation**
- ◆ Very efficient "grooving-removing"  
**> 5x increase of process efficiency**

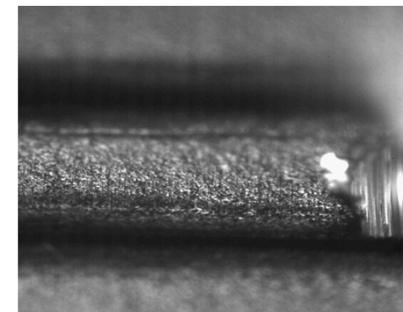
- ◆ Correct processing parameters and strategies to avoid single pulse thermal damage and heat accumulation effects



- ◆ Applying these strategies yields perfect "thermal quality"



- ◆ New process strategies allow significant increase of the efficiency



# High-Quality Laser Processing of CFRP

Rudolf Weber

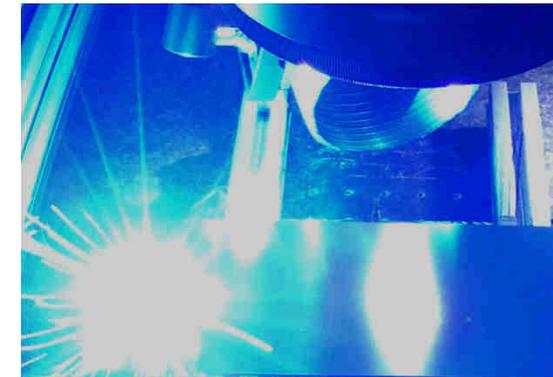
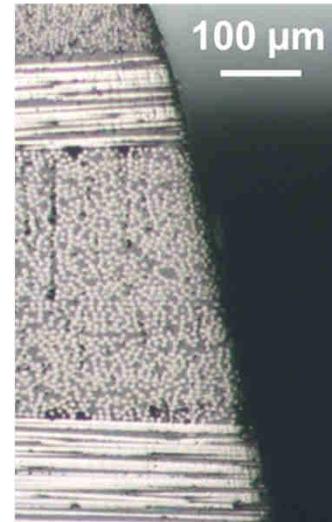
Christian Freitag, Margit Wiedenmann, Thomas Graf

15.6.2016



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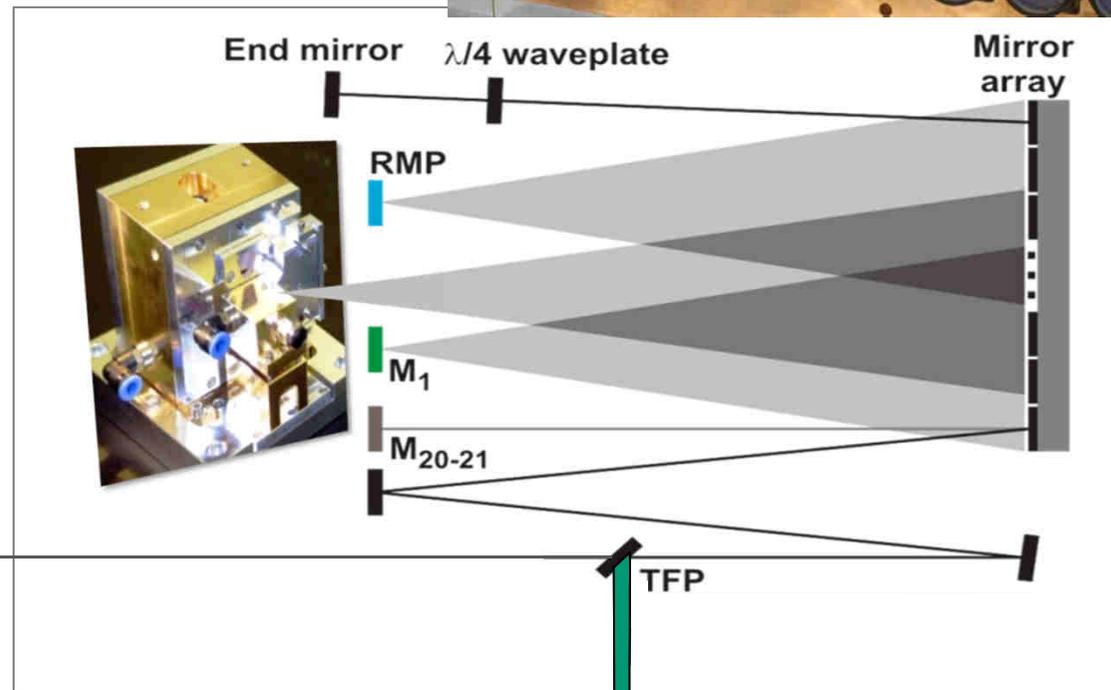
# Scaling to Kilowatt Picosecond Lasers

Array of 40 mirrors  
for 40 reflections on the disk



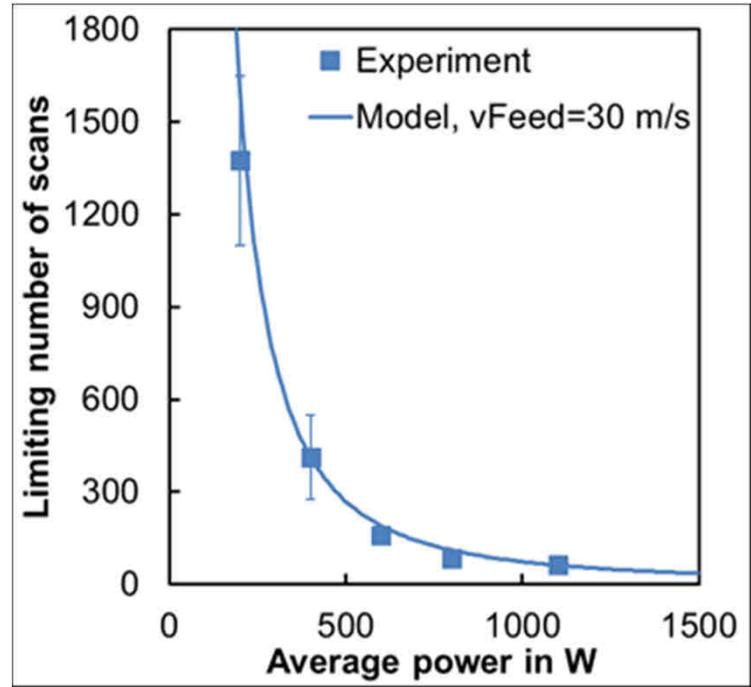
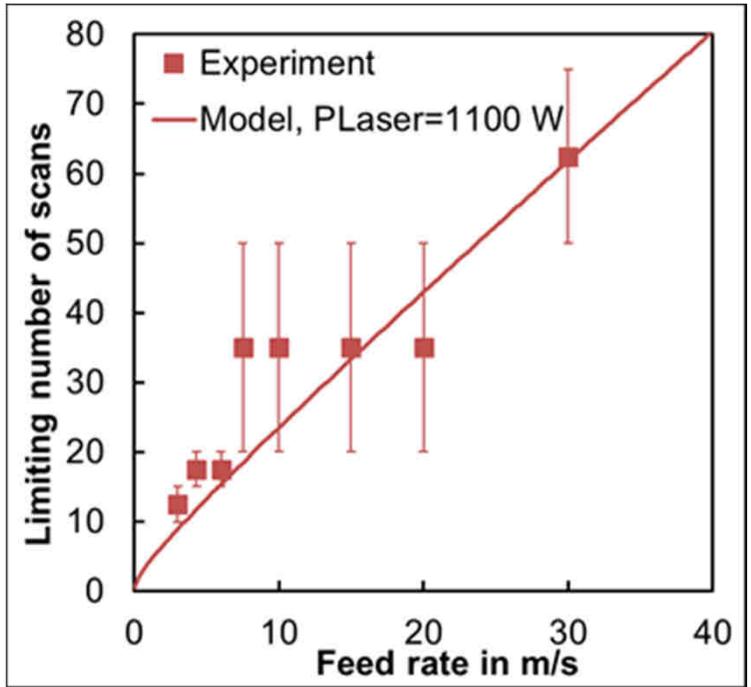
Seed Laser  
(TruMicro 5050-LE)

115 W, 300 kHz,  
1030 nm,  $M^2 < 1.4$



**1.4 kW @ 300 kHz**  
⇒ **4.7 mJ**

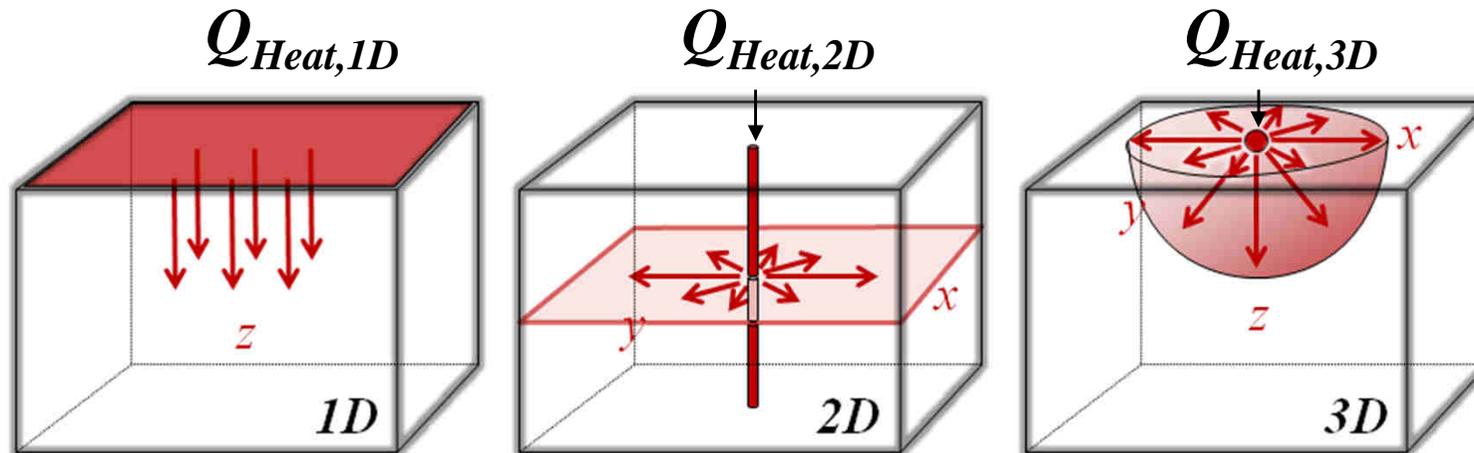
$$N_{Limit,1D} = \left( \frac{C_{Mat,1D} \cdot \Delta T_{Limit}}{2} \frac{d_{Mat} \cdot \sqrt{v_{Feed} (\ell_{Contour} + v_{Feed} \cdot t_{Pos})}}{P_{Laser,av}} - \frac{C_{1D}}{2} \right)^2$$



Solution to avoid HAS for moving beams:

- **Reduce power per contour, make breaks**

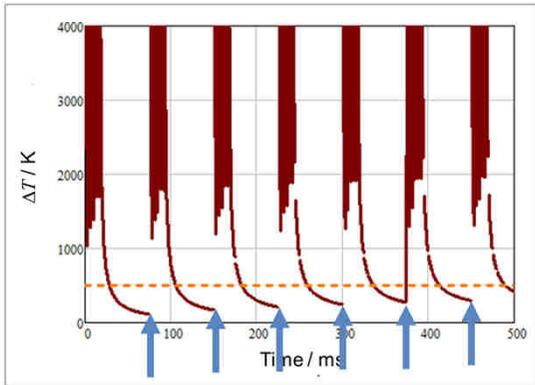
- ◆  $nD$ -dimensional geometry depending on setup



- ◆ Pulsed heat input, each creating a temperature field
- ◆ Summing up the temperature fields created by each heat input  $Q_{Heat,nD}$
- Temperature increase after  $N_p$  pulses

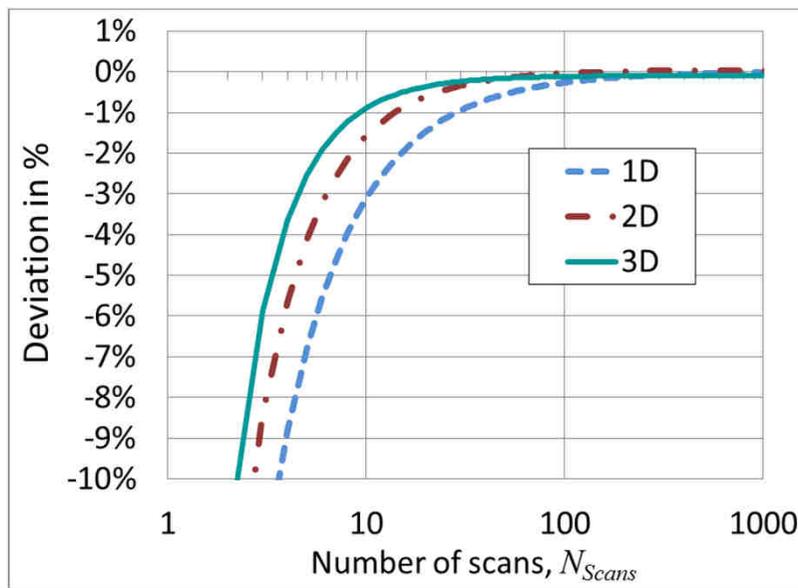
$$\Delta T_{HA,nD} = \frac{Q_{Heat,nD}}{\rho \cdot c_p \cdot \sqrt{\left(\frac{4 \cdot \pi \cdot K}{f_L}\right)^{nD}}} \sum_{N=1}^{N_p} \frac{1}{\sqrt{N^{nD}}}$$

- ◆ 1-D heat accumulation by scans (HAS)



$$\Delta T_{HA,1D} = \frac{Q_{Heat} \cdot \sqrt{f_{Scans}}}{\rho \cdot c_p \cdot \sqrt{4 \cdot \pi \cdot K}} \sum_{N=1}^{N_{Scans}} \frac{1}{\sqrt{N}}$$

- ◆ Approximation for the sum



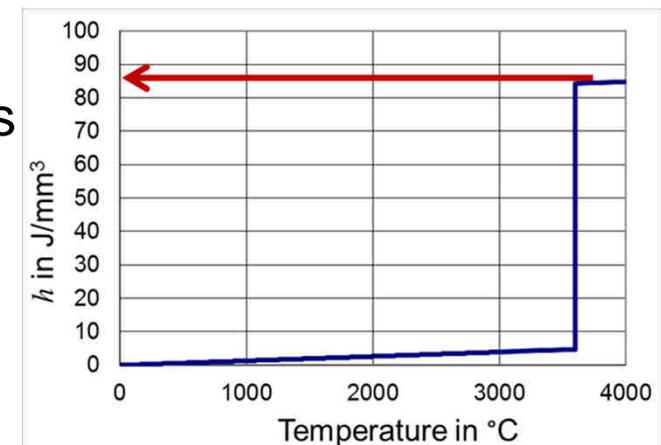
$$\sum_{N=1}^{N_{Scans}} \frac{1}{\sqrt{N}} \cong \int_1^{N_{Scans}} \frac{1}{\sqrt{N}} dN + C_{1D}$$

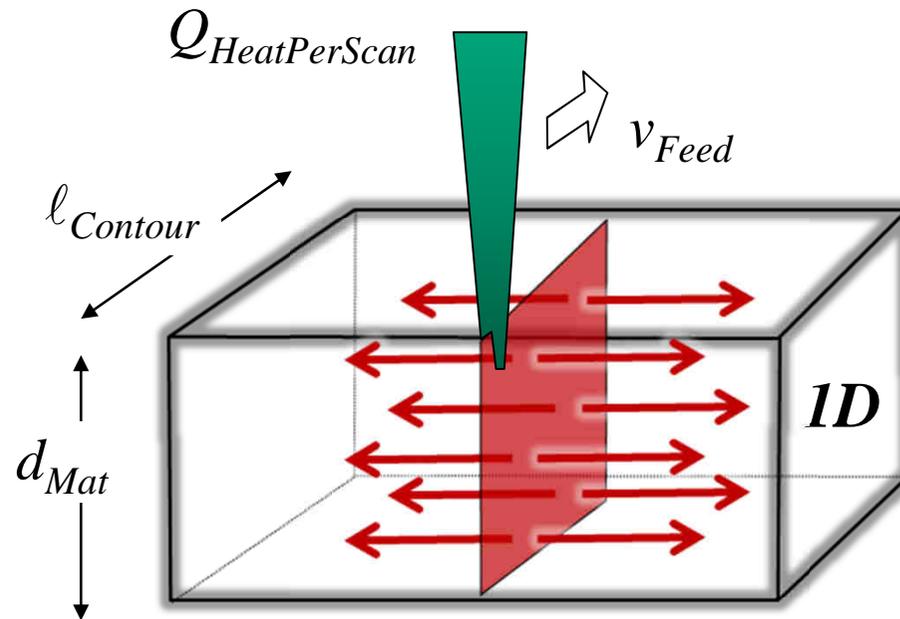
$$\cong 2\sqrt{N_{Scans}} + C_{1D}$$

50-80% graphite layers

	Thermo-physical data		Carbon Fibers	Matrix
	Heat conductivity $k$ in W/m·K		50 / 5 ( $\parallel$ / $\perp$ )	0.2
	Evaporation temperature $T_v$ in °K		~3.900	800
	Enthalpy for evaporation $h_v$ in J/mm <sup>3</sup>		85	2
	Threshold fluence (10 ps) in J/cm <sup>2</sup>		0.3	1.2 (1 μm) 0.2 (0.3 μm)

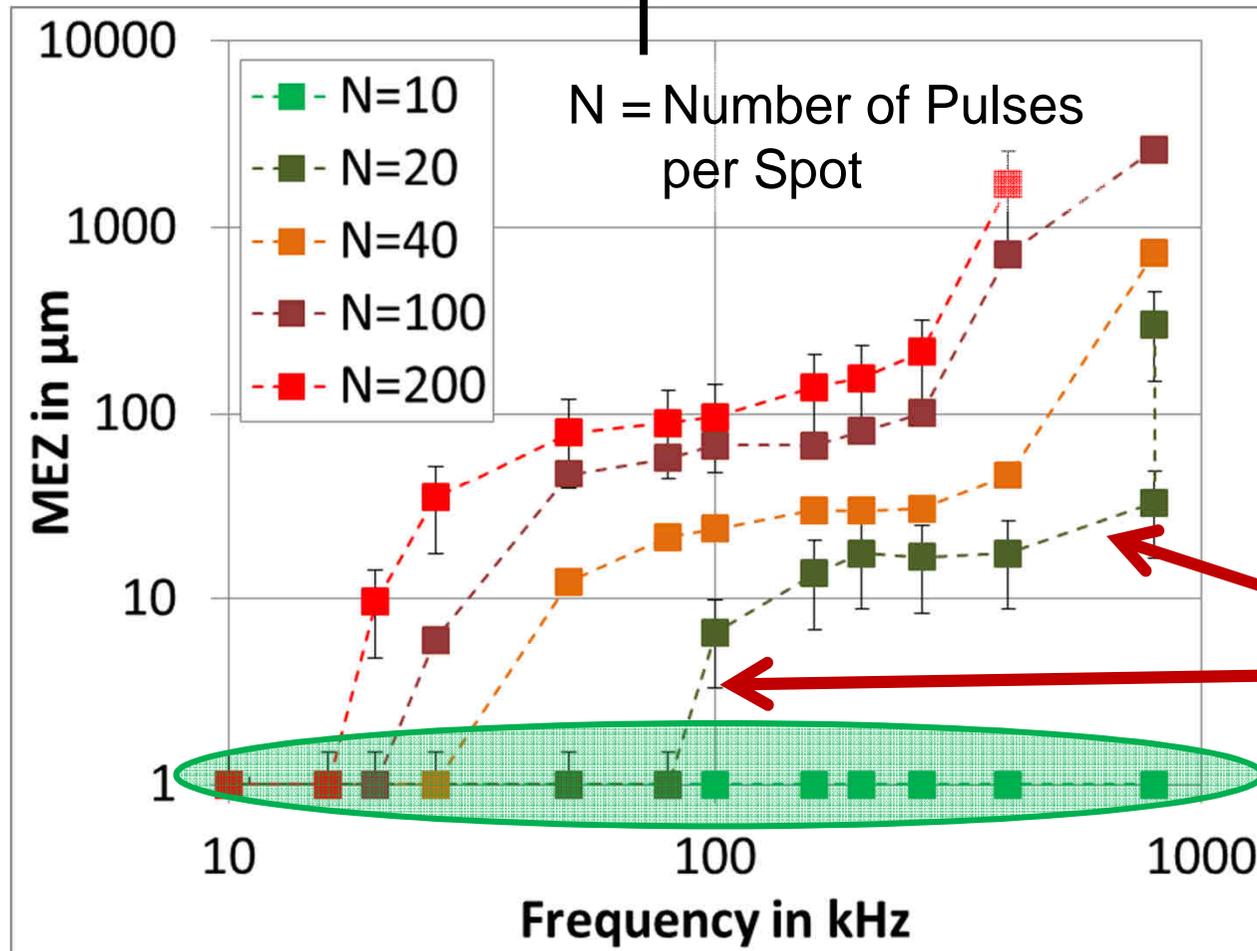
- ◆ About 60% carbon, 40% matrix
- ◆ Heat conduction mainly **along** the carbon fibers
- ◆ Very high evaporation temperature of carbon
- ◆ Low matrix damage temperature
- ◆ 85 J/mm<sup>3</sup> enthalpy for carbon evaporation
- ◆ Picosecond ablation threshold ~0.3 J/cm<sup>2</sup>





- ◆ 1-D applies if  $t_{Process} > d_{Mat}^2 / (4 \cdot \kappa)$   $\kappa = \lambda_{th} / (\rho c_p)$
- ◆ Reached in  $< 0.5$  s in the case of 2 mm thick CFRP

◆ MEZ = Matrix Evaporation Zone



$E = \text{const!} = 31 \mu\text{J}$

$\Phi = 28.8 \text{ J/cm}^2$

$I = 3.6 \cdot 10^{12} \text{ W/cm}^2$

N set with feed

2. Increase

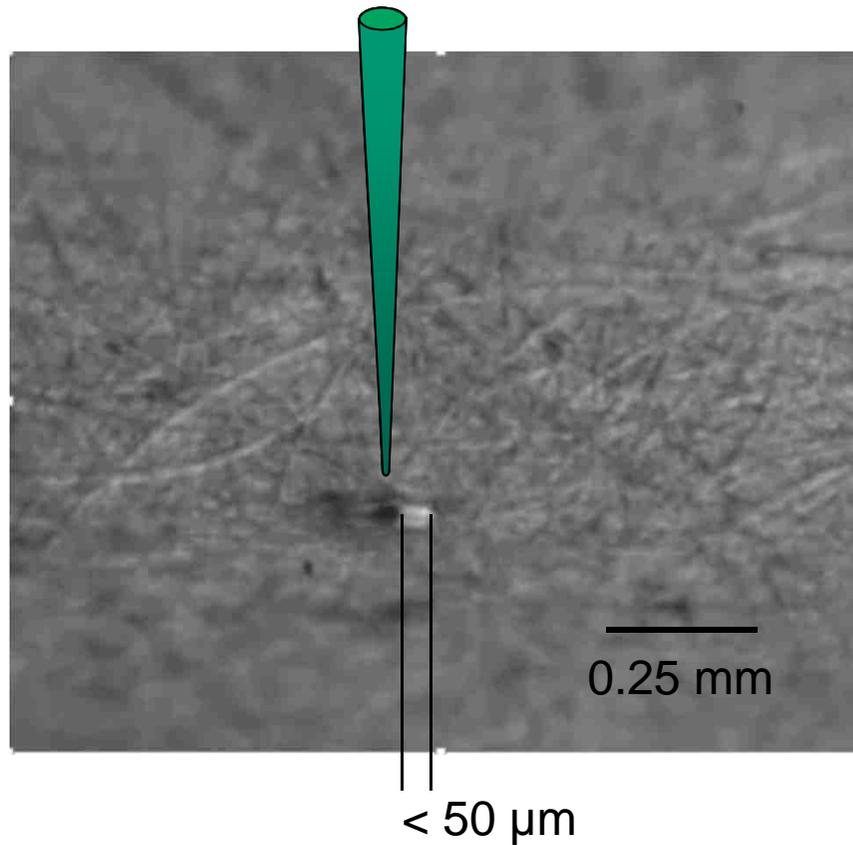
1. Increase

Perfect

Average power increases  $\Rightarrow$

## Single-Pulse Damage

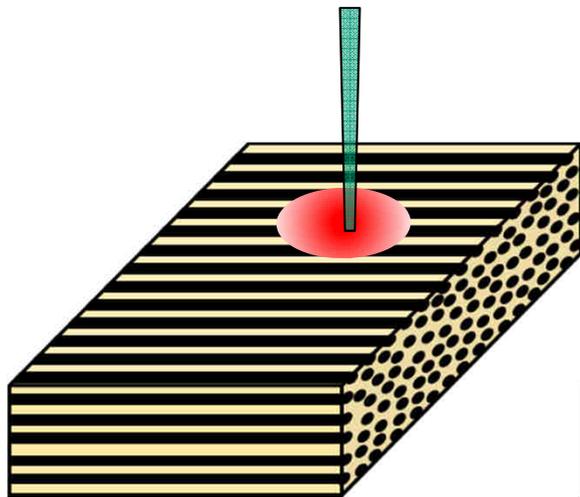
- ◆ Percussion drilling
- ◆ First ~30 pulses



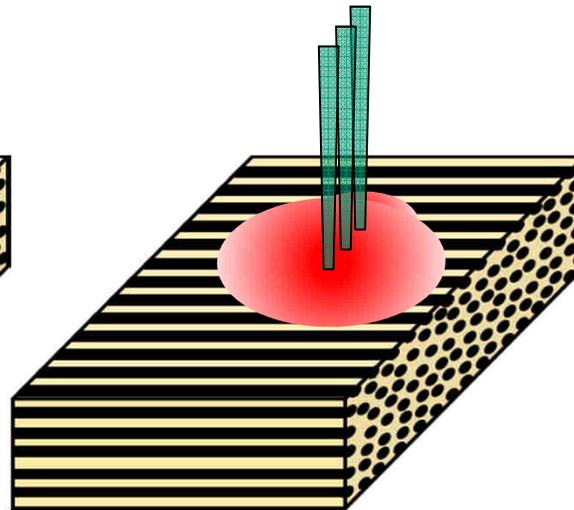
- ◆ 10 ps, 515 nm
- ◆ 28 μJ, 80 kHz = 2.3 W
- ◆  $\sim 10^{13}$  W/cm<sup>2</sup>

➤ **Very small single-pulse thermal damage possible**

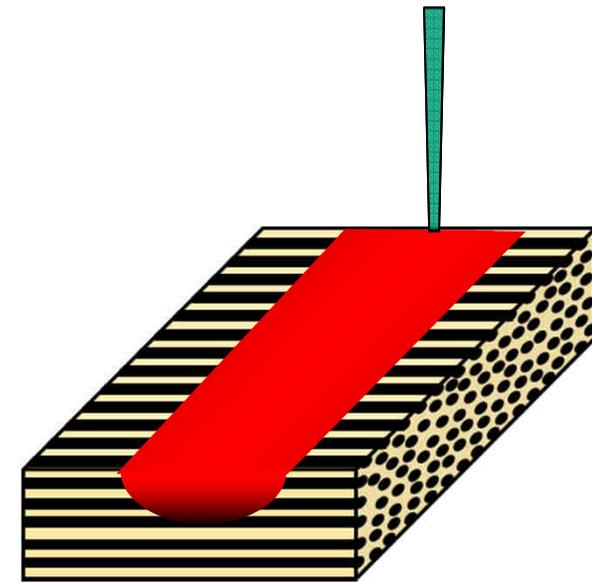
- ◆ Heat flow from a **single laser pulse (SPD)**



- ◆ Heat accumulation between consecutive **laser pulses (HAP)**

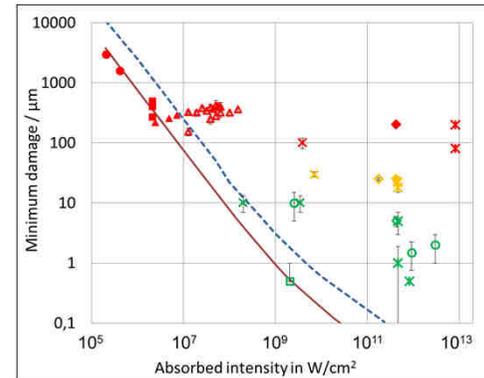


- ◆ Heat accumulation between consecutive **scans (HAS)**



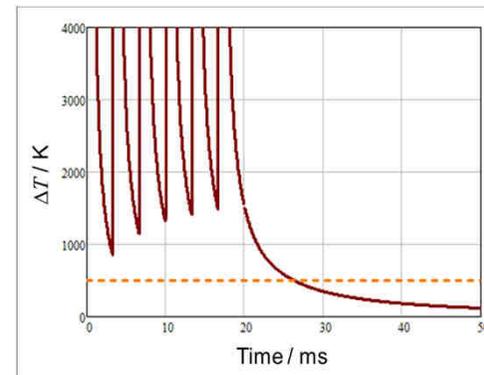
1. Enough intensity (no SPD)

$$> 10^9 \text{ W / cm}^2$$



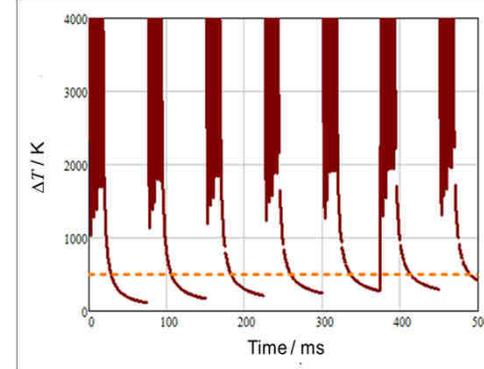
2. Fast beam movement (no HAP)

$$v_{Feed} \cong d_{Focus} \cdot f_{Laser}$$



3. Reduced power per contour and enough breaks (no HAS)

$$N_{Limit} \cong C_{Mat1D}^2 \cdot \Delta T \cdot \frac{d_{Mat}^2 \cdot v_{Feed} \cdot \ell_{Contour}}{4 \cdot P_{Laser}^2}$$



# Four Rules of Thumb to Achieve Perfect Thermal Quality

1. Correct effective fluence (minimize heat)

$$\Phi_{Abs} \cong 5 - 10x \text{ threshold}$$

2. Enough intensity (no SPD)

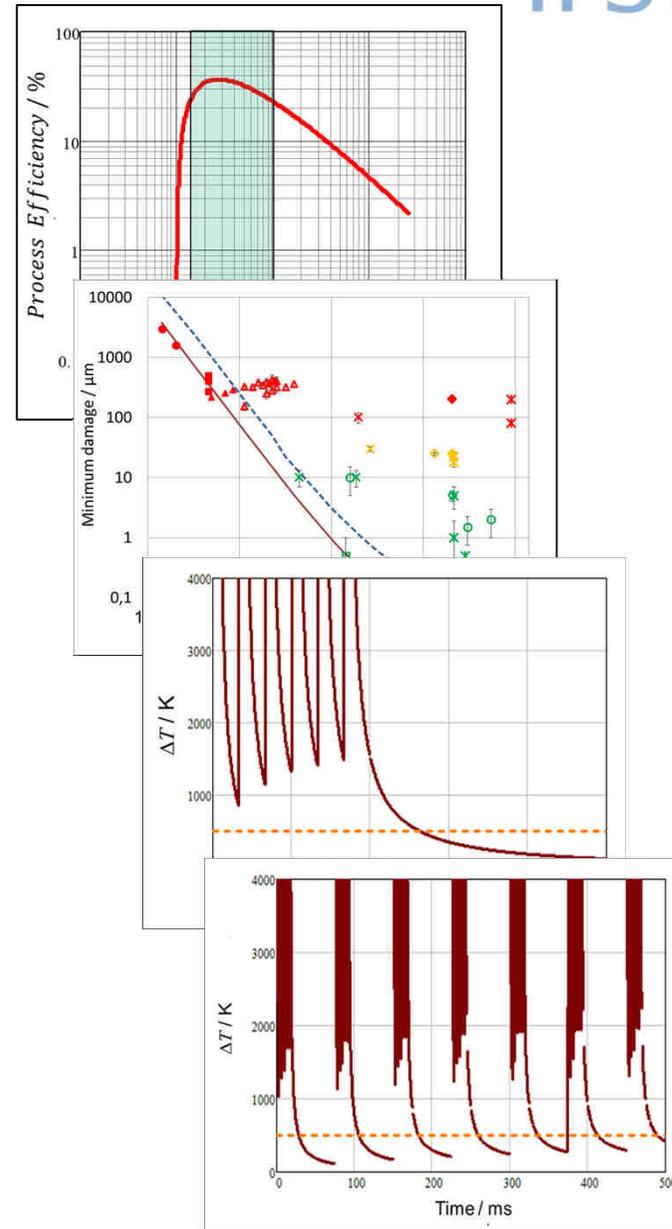
$$> 10^9 W / cm^2$$

3. Fast beam movement (no HAP)

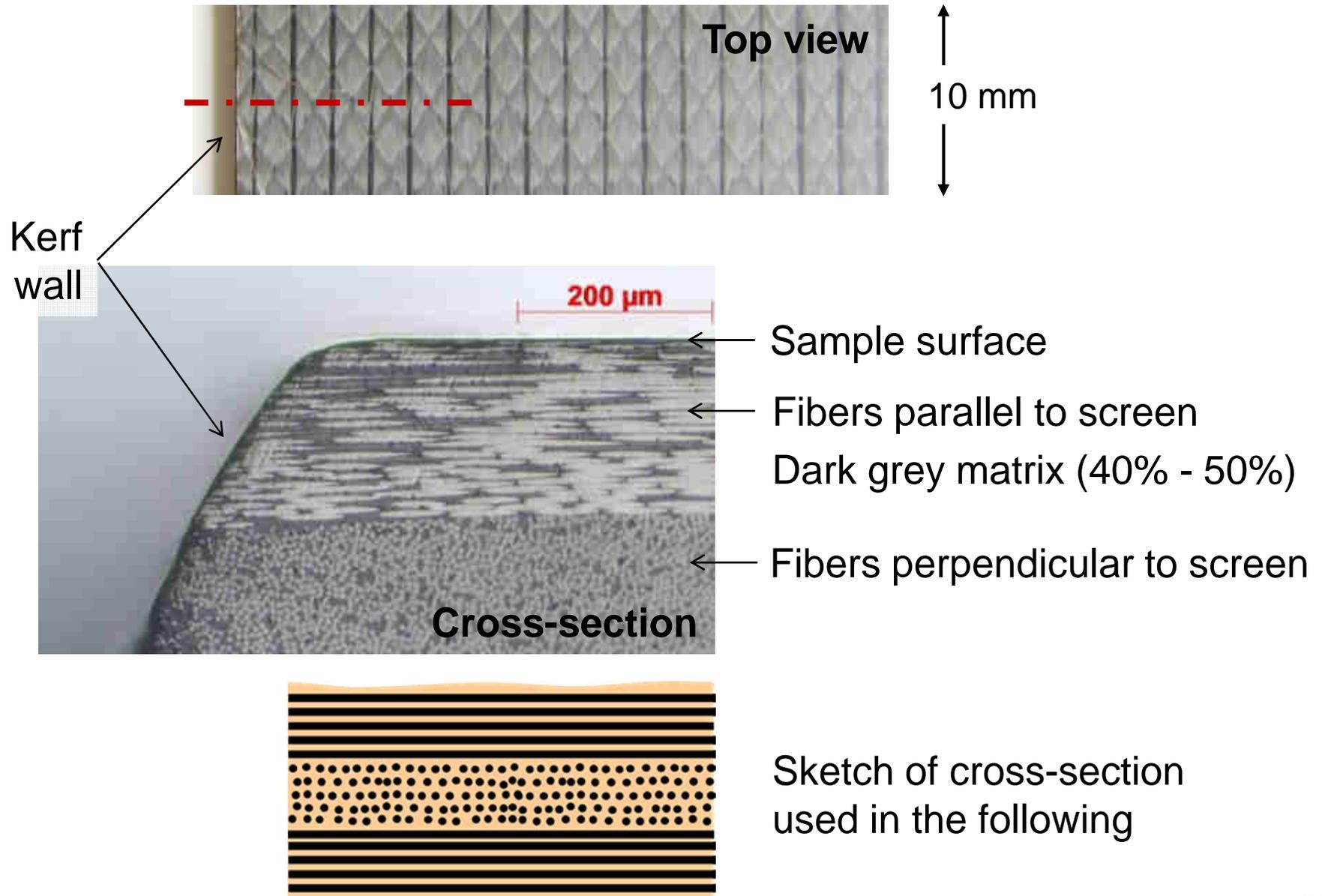
$$v_{Feed} \cong d_{Focus} \cdot f_{Laser}$$

4. Enough breaks (no HAS)

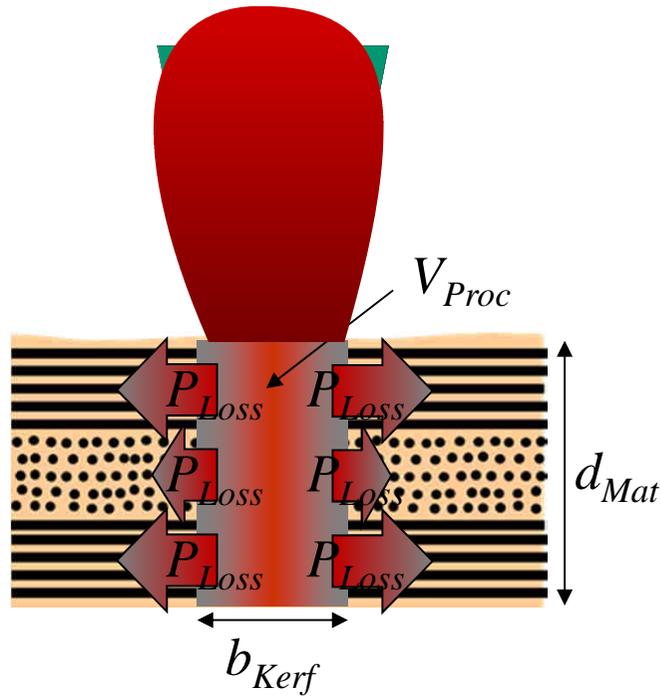
$$N_{Limit} \cong C_{MatID}^2 \cdot \Delta T \cdot \frac{d_{Mat}^2 \cdot v_{Feed} \cdot \ell_{Contour}}{4 \cdot P_{Laser}^2}$$



# "Typical" High-Quality Cutting Result



# What Average Power is Required?



- ◆ "Typical" industrial requirement for CFRP cutting

- $d_{Mat} = 2 \text{ mm}$
- $b_{Kerf} = 0.1 \text{ mm}$
- $v_{Feed} = 20 \text{ mm/s}$  (1 m/min)

⇒ The required ablation rate  
 $\dot{V} = dV_{Proc}/dt \cong 4 \text{ mm}^3/\text{s}$   
 (=  $v_{Feed} \cdot d_{Mat} \cdot b_{Kerf}$ )

$$P_{Av,Laser} = \frac{C_{Carbon}}{\eta_{Abs}} \left( h_{V,Proc,eff} \cdot \dot{V}_{Proc} + P_{Loss} \right)$$

- ◆  $h_{VProc,eff} \cong 85 \text{ J/mm}^3$
- ◆  $C_{Carbon} \cong 60\%$
- ◆  $\eta_{Abs} \cong 70\%$
- ◆  $P_{Loss} \cong 75\%$

➤  **$P_{Av,Laser} > 1000 \text{ W}$  for productive cutting of CFRP**

➤ **Severe challenge to avoid thermal damage!**

- Absorbed volume-specific enthalpy  $h_V$  as a function of space for  $\alpha = 5.3 \cdot 10^5 \text{ cm}^{-1}$  (ultra-short pulse situation)

$$h_V(z) = \alpha \cdot \Phi_{Absorbed} \cdot e^{-\alpha \cdot z}$$

- ◆ Absorbed laser fluence

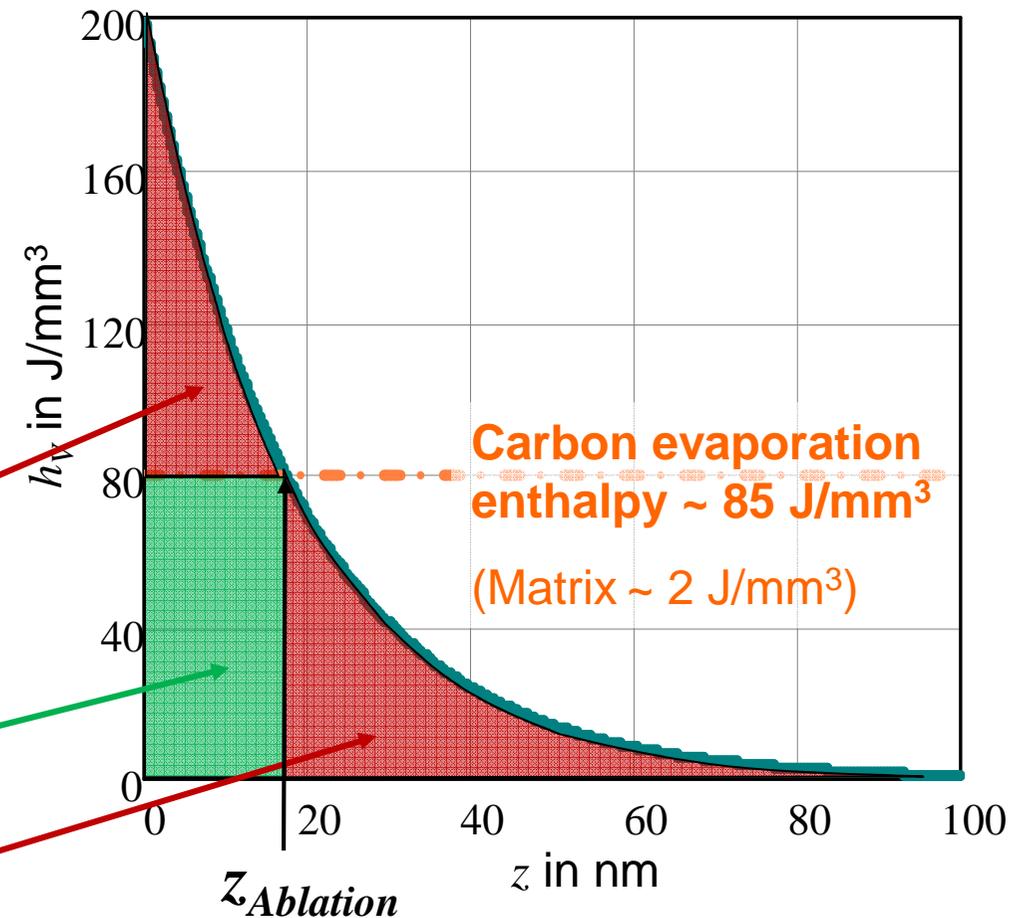
$$\Phi_{Absorbed} \cong \frac{\eta_{Abs} \cdot E_{Pulse}}{\pi \cdot r_{Focus}^2}$$

Overheating of vapor

- Kinetic energy for leaving kerf/hole
- Heating of material

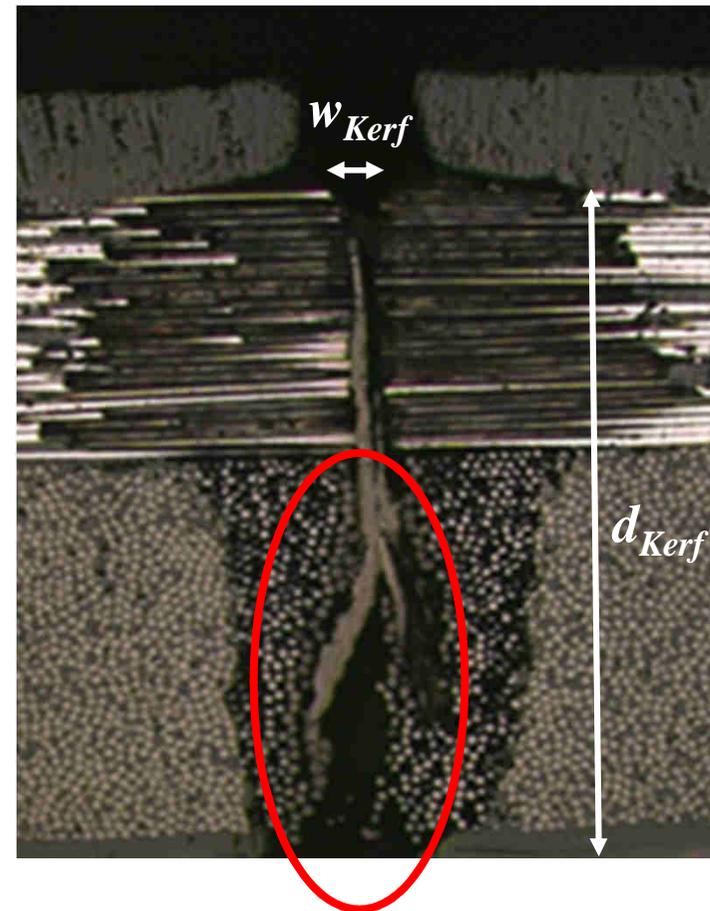
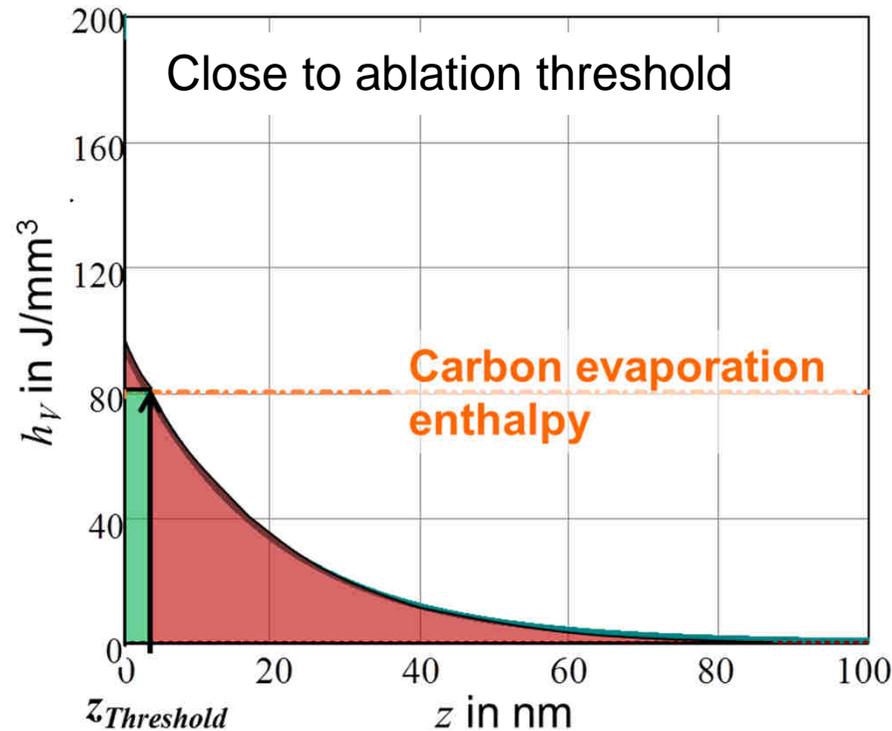
Absorbed energy used for evaporation

Heating of material



- ◆ Effective fluence decreases with ~2x aspect ratio  $A = d_{Kerf} / w_{Kerf}$

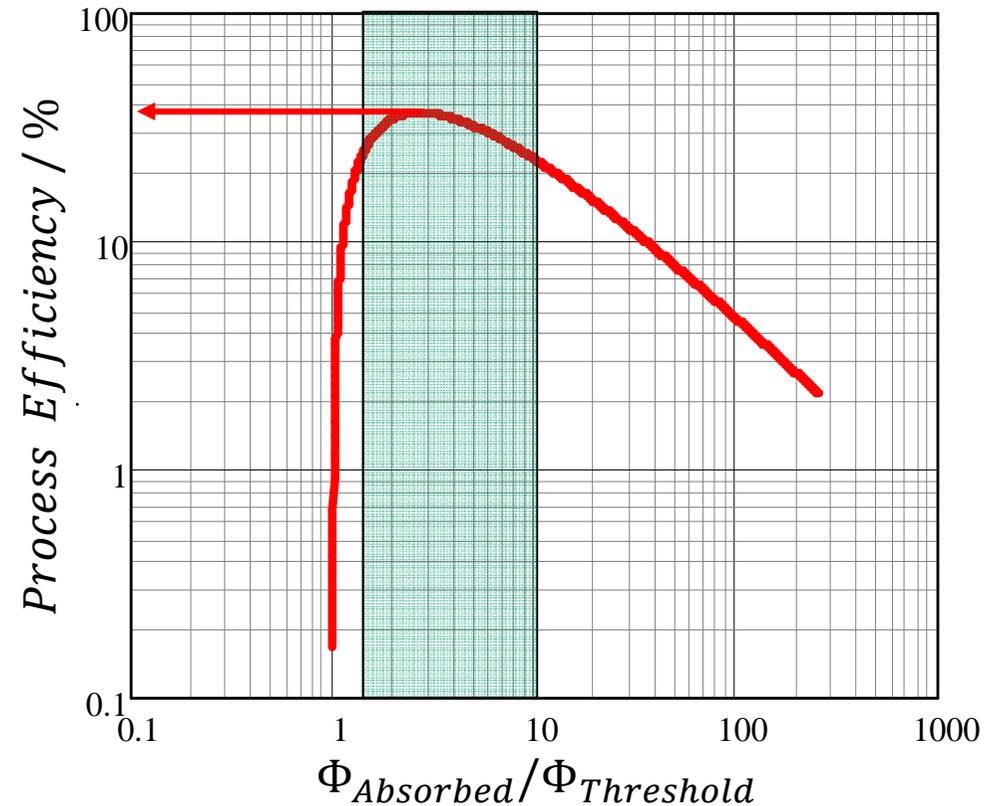
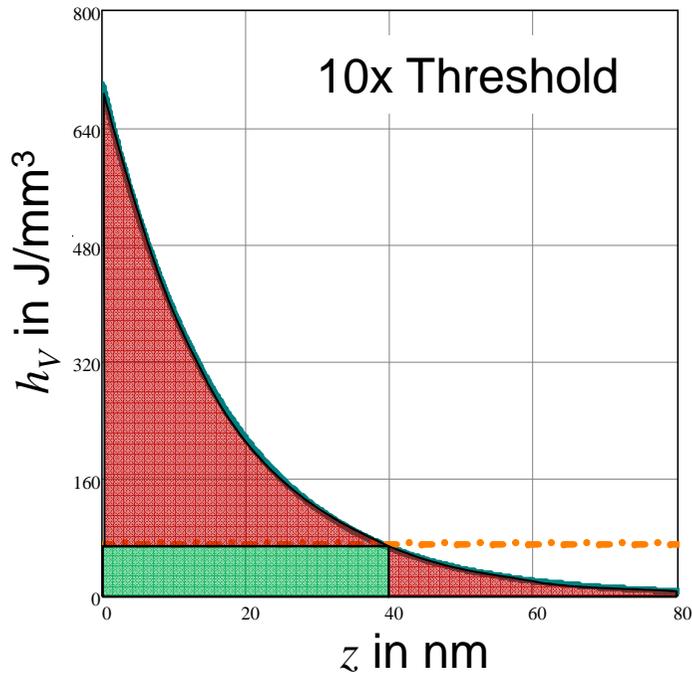
$$\Phi_{Abs,Effective} \cong \frac{\eta_{Abs} \cdot E_{Pulse}}{2A \cdot \pi \cdot r_{Focus}^2}$$



- $E_{kin}$  not large enough to leave kerf
- 100% of laser energy is deposited in the material
- Re-condensation of evaporated material

# Efficiency Defines Optimum Fluence Regime

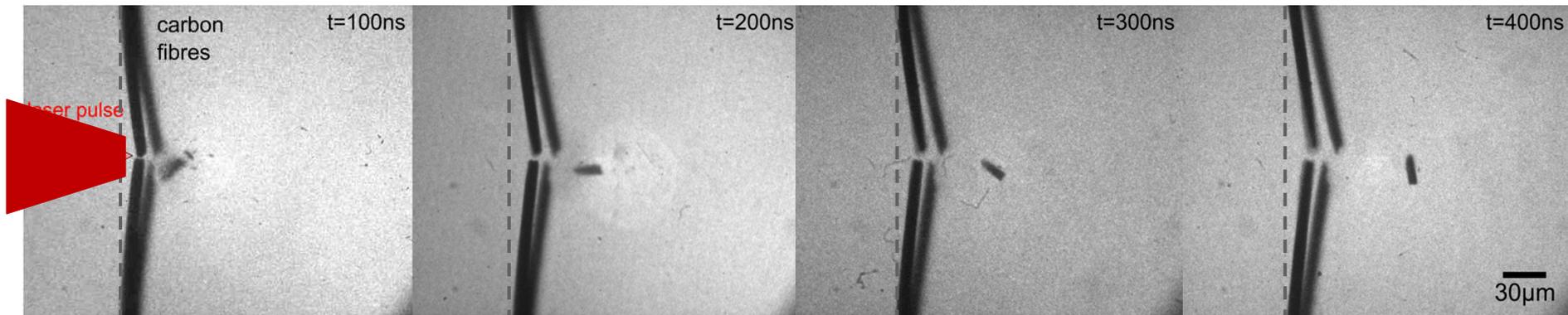
- ◆ Process efficiency =  / absorbed energy



➤ Maximum ~35% of laser energy used for evaporation  $\Rightarrow P_{Loss} > 65\%$

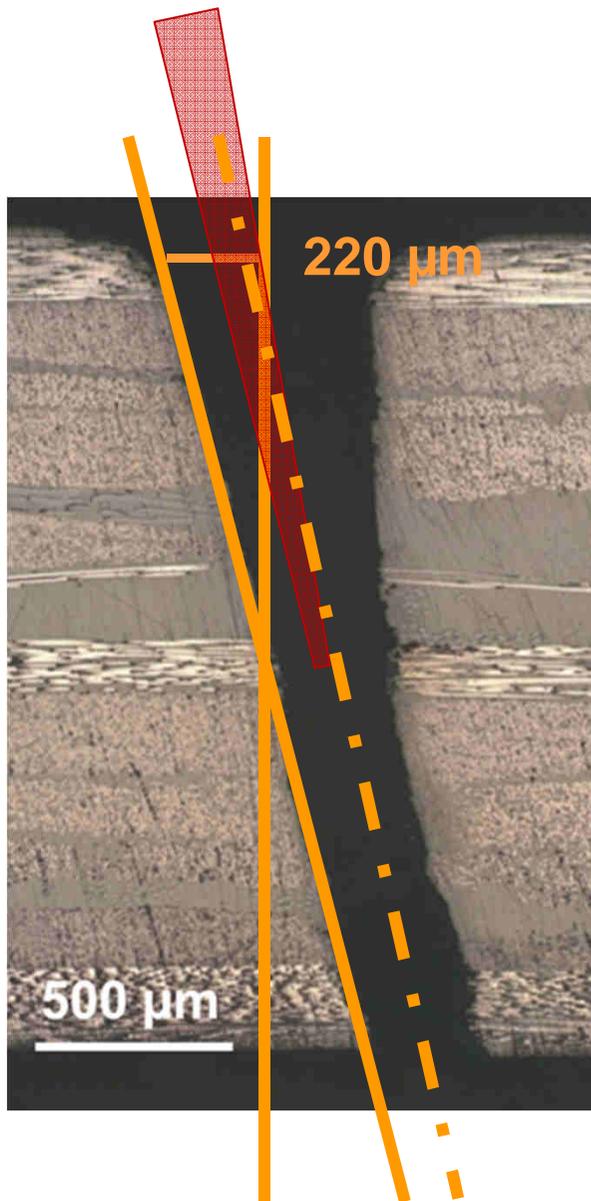
➤ To minimize vapor damage keep effective absorbed fluence  
 $2 \cdot \Phi_{Threshold} > \Phi_{Absorbed} < 10 \cdot \Phi_{Threshold}$

- ◆ Fibre diameter  $\sim 8 \mu\text{m}$
- ◆ Single pulse, 800 nm, 6 ps, 0.6 mJ, focus diameter  $30 \mu\text{m}$
- ◆ Four frames, one frame every 100 ns

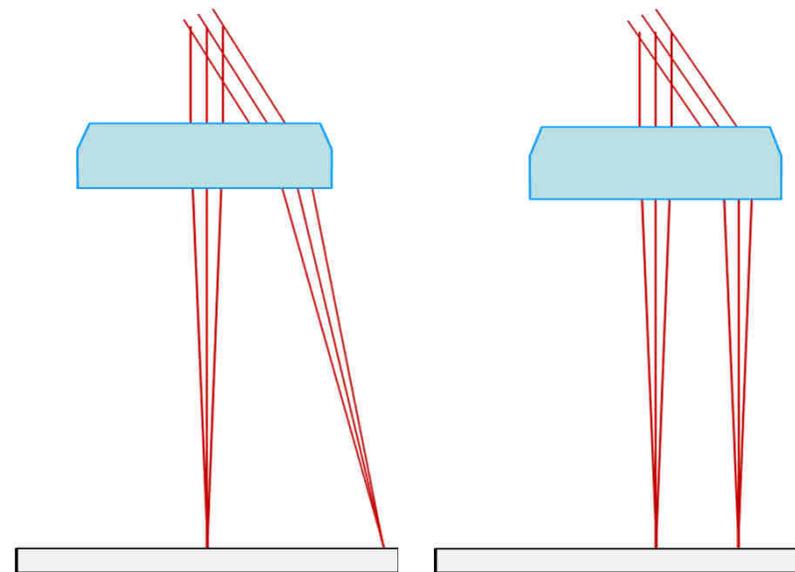


- ◆ Cracking of Fibers, ejection of Fragments
- ◆ Fragment velocity  $\sim 200 \text{ m/sec}$

➤ Creation of fragments might be used to reduce required enthalpy



- ◆ Extent about  $\pm 220 \mu\text{m}$  @ 2 mm thickness
- F-Theta scanner optics
- Angle depends on part size
- Accuracy depends on thickness
- Telecentric optics
  - ⇒ Contour size additionally limited





- ◆ Extent about 60 μm

- Rayleigh-Length  
(was 10 mm)

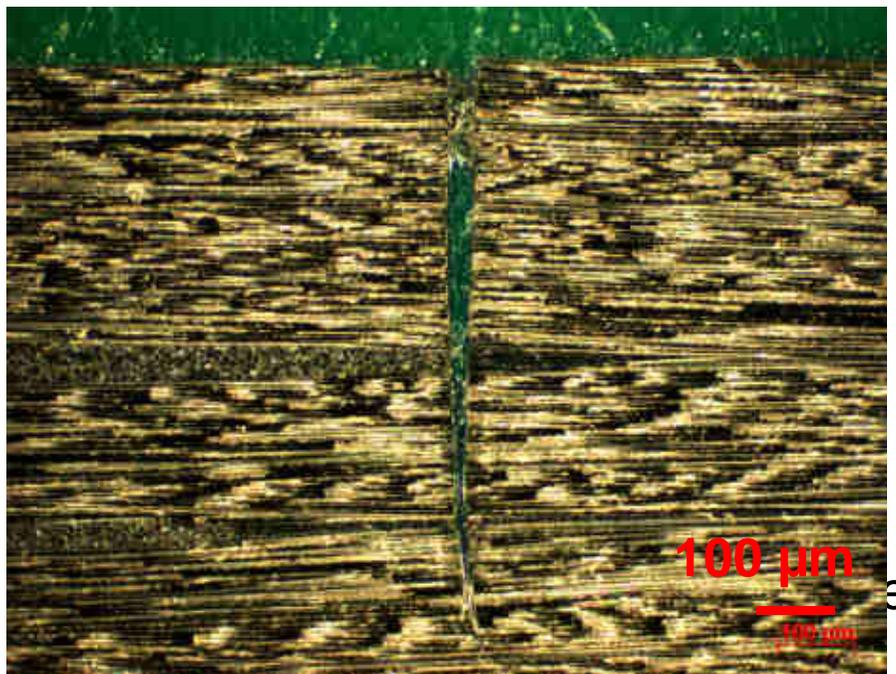
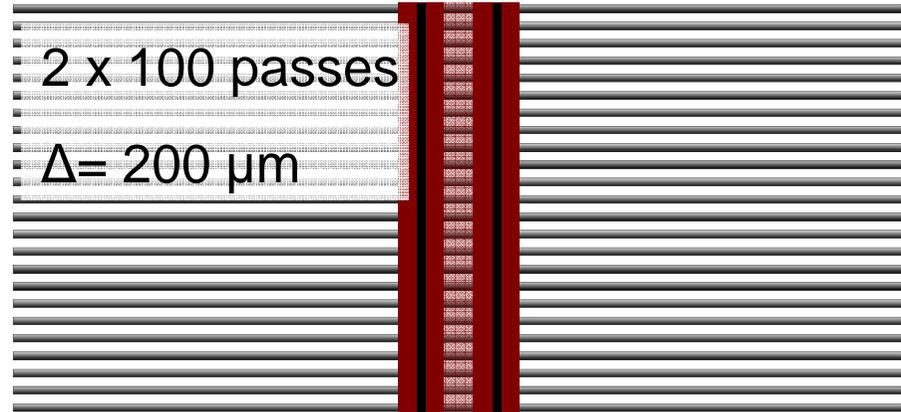
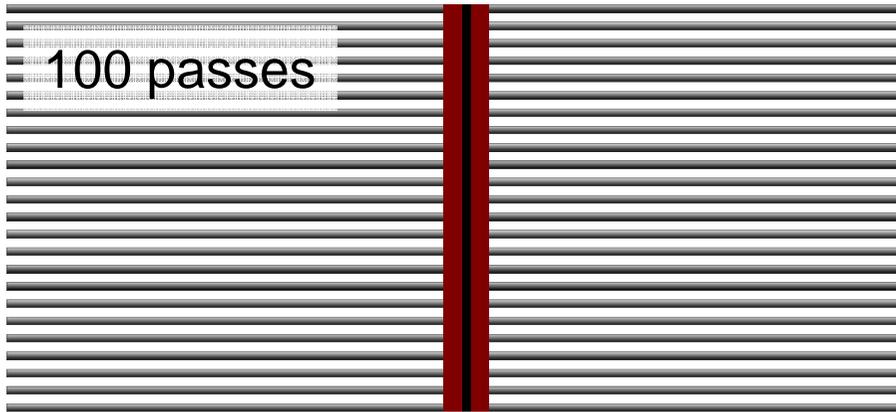
$$z_R = \frac{\pi \cdot w_0^2}{M^2 \cdot \lambda_{Laser}}$$

- Focus position
- Thermal focus shift

➤ Larger spots, better  $M^2$ ,  
**shorter wavelength**

➤ Very fast active control of focus  
position ⇒ To be solved

# Take Benefit of Heat Accumulation: Increased Efficiency ... IFSW



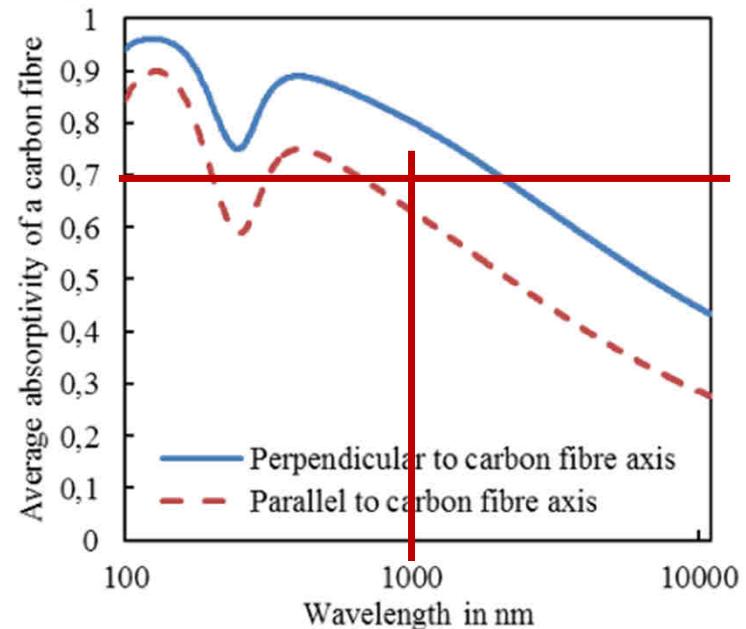
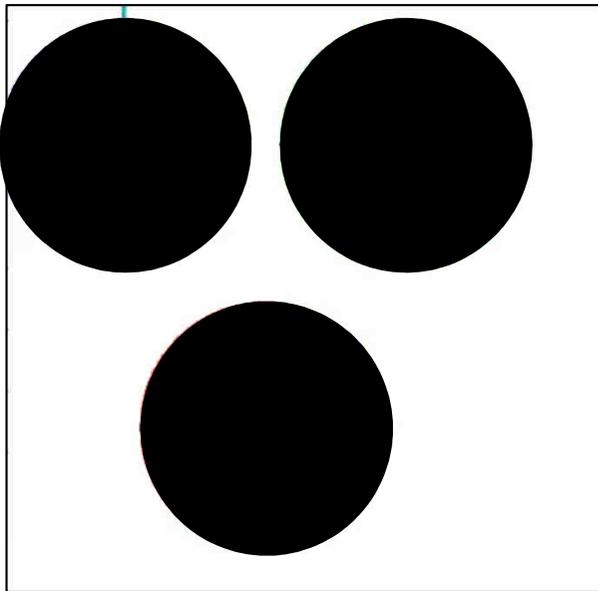
very small damage



> **> 5x increase of process efficiency**

# Polarization Dependent Reflection and Absorption

- ◆ Raytracing calculation
- ◆ Fresnel equation including birefringence



~ 70%  
for lasers

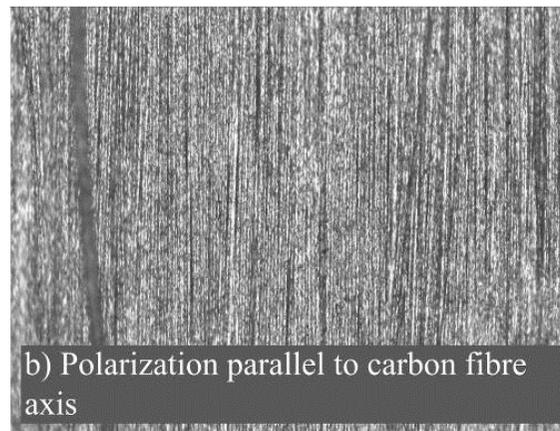
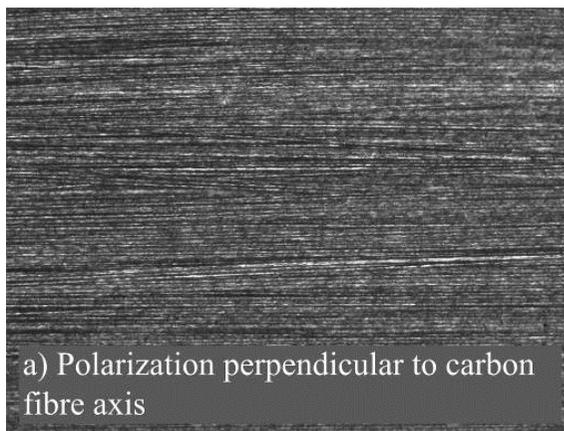
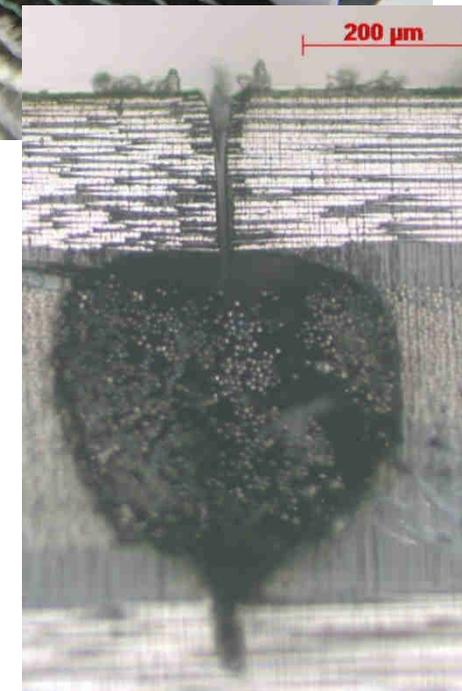
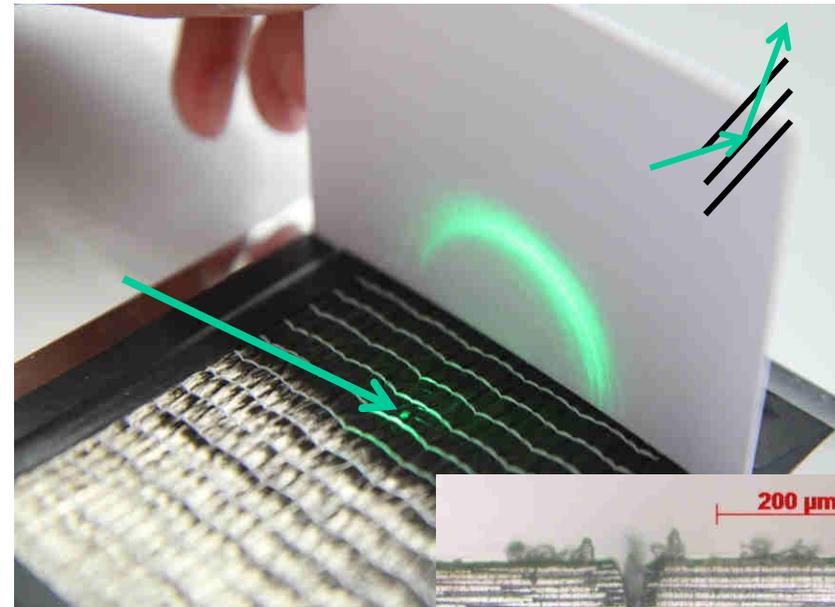
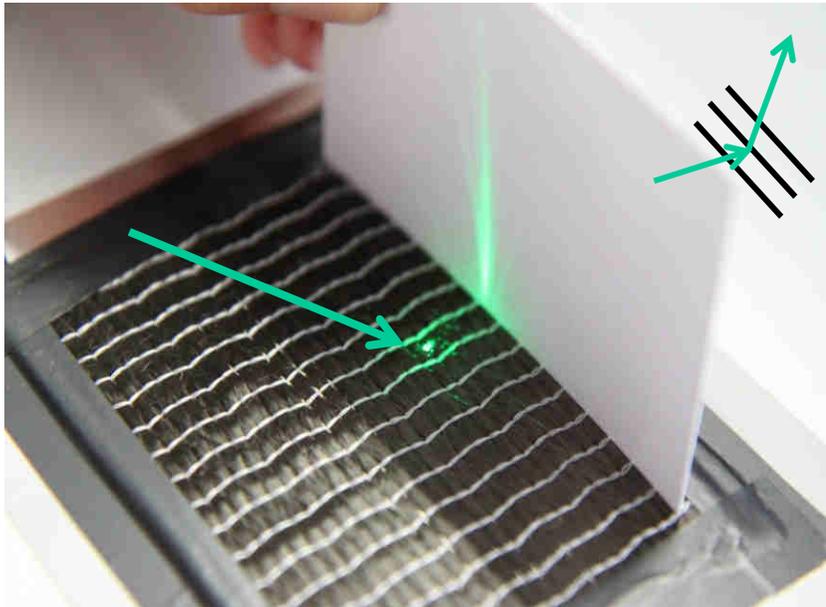


Image Brightness  
p-pol / s-pol

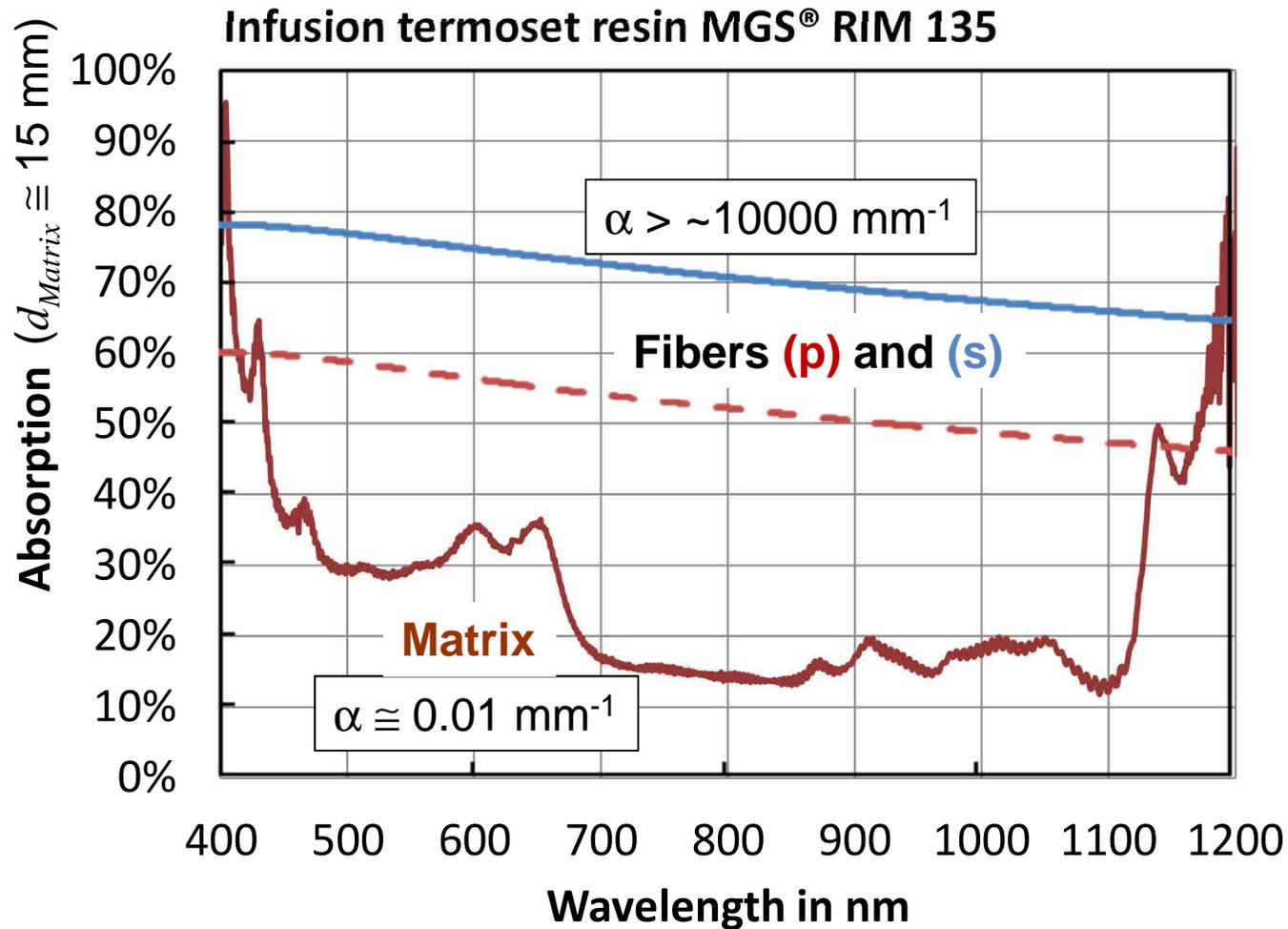
- Calculated ~ 77%
- Measured ~ 62%

C. Freitag, R. Weber, and T. Graf, *Optics Express*, 22 (2), 1474-1478 (2014)

A.B. Djurisic, E.H. Li, "Optical properties of graphite", *Journal of Applied Physics* 85 (10), 1999

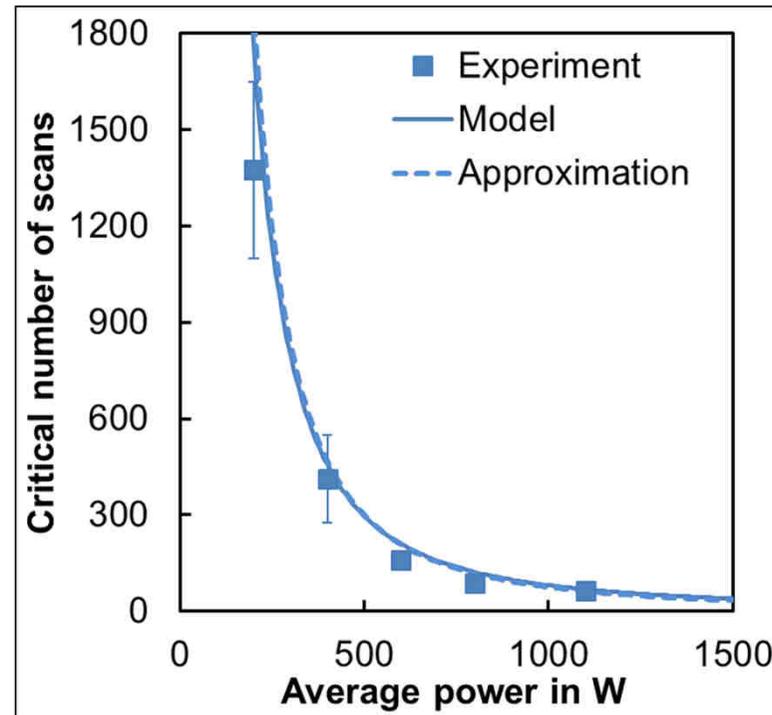
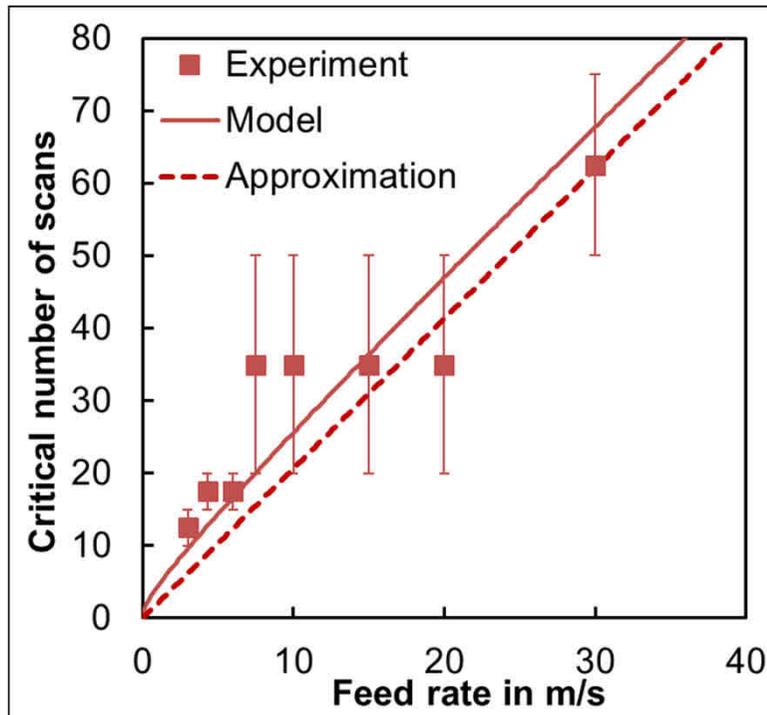


- Cylindrical structures show scattering mainly perpendicular to cylinder axis
- Strong dependence on fiber orientation
- Strong anisotropic scattering
- Fibers laid open by hot vapor(?)
- Possible reason for strange damage patterns



- Matrix almost transparent
- Scattering even with matrix present

$$N_{Limit} \cong C_{Mat,1D}^2 \cdot \Delta T_{Limit} \cdot \frac{d_{Mat}^2 \cdot v_{Feed} \cdot \ell_{Contour}}{4 \cdot P_{Laser,av}^2} \quad (C_{Mat,1D} \cong 7440 \text{ J/s}^{0.5}/\text{m}^2)$$



Solution to avoid HAS for moving beams:

- **Reduce power per contour, make breaks**

Model: R. Weber, C. Freitag, T. Graf, Submitted to Optics Express 6/2016

Experimental data: C. Freitag, T. Kononenko et al, Applied Physics A, 119(4), (2015)